

Learn

Eureka Math™

Grade 3

Modules 3 & 4

Preview Material

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Learn ♦ Practice ♦ Succeed

Eureka Math™ student materials for *A Story of Units®* (K–5) are available in the *Learn, Practice, Succeed* trio. This series supports differentiation and remediation while keeping student materials organized and accessible. Educators will find that the *Learn, Practice, and Succeed* series also offers coherent—and therefore, more effective—resources for Response to Intervention (RTI), extra practice, and summer learning.

Learn

Eureka Math Learn serves as a student's in-class companion where they show their thinking, share what they know, and watch their knowledge build every day. *Learn* assembles the daily classwork—Application Problems, Exit Tickets, Problem Sets, templates—in an easily stored and navigated volume.

Practice

Each *Eureka Math* lesson begins with a series of energetic, joyous fluency activities, including those found in *Eureka Math Practice*. Students who are fluent in their math facts can master more material more deeply. With *Practice*, students build competence in newly acquired skills and reinforce previous learning in preparation for the next lesson.

Together, *Learn* and *Practice* provide all the print materials students will use for their core math instruction.

Succeed

Eureka Math Succeed enables students to work individually toward mastery. These additional problem sets align lesson by lesson with classroom instruction, making them ideal for use as homework or extra practice. Each problem set is accompanied by a Homework Helper, a set of worked examples that illustrate how to solve similar problems.

Teachers and tutors can use *Succeed* books from prior grade levels as curriculum-consistent tools for filling gaps in foundational knowledge. Students will thrive and progress more quickly as familiar models facilitate connections to their current grade-level content.

Students, families, and educators:

Thank you for being part of the *Eureka Math*[™] community, where we celebrate the joy, wonder, and thrill of mathematics.

In the *Eureka Math* classroom, new learning is activated through rich experiences and dialogue. The *Learn* book puts in each student's hands the prompts and problem sequences they need to express and consolidate their learning in class.

What is in the Learn book?

Application Problems: Problem solving in a real-world context is a daily part of *Eureka Math*. Students build confidence and perseverance as they apply their knowledge in new and varied situations. The curriculum encourages students to use the RDW process—Read the problem, Draw to make sense of the problem, and Write an equation and a solution. Teachers facilitate as students share their work and explain their solution strategies to one another.

Problem Sets: A carefully sequenced Problem Set provides an in-class opportunity for independent work, with multiple entry points for differentiation. Teachers can use the Preparation and Customization process to select “Must Do” problems for each student. Some students will complete more problems than others; what is important is that all students have a 10-minute period to immediately exercise what they've learned, with light support from their teacher.

Students bring the Problem Set with them to the culminating point of each lesson: the Student Debrief. Here, students reflect with their peers and their teacher, articulating and consolidating what they wondered, noticed, and learned that day.

Exit Tickets: Students show their teacher what they know through their work on the daily Exit Ticket. This check for understanding provides the teacher with valuable real-time evidence of the efficacy of that day's instruction, giving critical insight into where to focus next.

Templates: From time to time, the Application Problem, Problem Set, or other classroom activity requires that students have their own copy of a picture, reusable model, or data set. Each of these templates is provided with the first lesson that requires it.

Where can I learn more about Eureka Math resources?

The Great Minds[®] team is committed to supporting students, families, and educators with an ever-growing library of resources, available at eureka-math.org. The website also offers inspiring stories of success in the *Eureka Math* community. Share your insights and accomplishments with fellow users by becoming a *Eureka Math* Champion.

Best wishes for a year filled with aha moments!



Jill Diniz
Director of Mathematics
Great Minds

The Read–Draw–Write Process

The *Eureka Math* curriculum supports students as they problem-solve by using a simple, repeatable process introduced by the teacher. The Read–Draw–Write (RDW) process calls for students to

1. Read the problem.
2. Draw and label.
3. Write an equation.
4. Write a word sentence (statement).

Educators are encouraged to scaffold the process by interjecting questions such as

- What do you see?
- Can you draw something?
- What conclusions can you make from your drawing?

The more students participate in reasoning through problems with this systematic, open approach, the more they internalize the thought process and apply it instinctively for years to come.

Preview Material

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Grade 3

Module 3

Preview Material

Preview Material

Geri brings 3 water jugs to her soccer game to share with teammates. Each jug contains 6 liters of water. How many liters of water does Geri bring?

Preview Material

Read**Draw****Write**

Preview Material

Name _____

Date _____

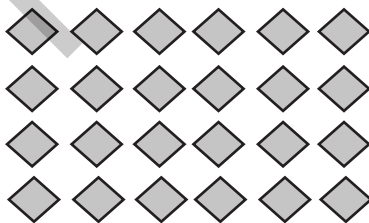
1. a. Solve. Shade in the multiplication facts that you already know. Then, shade in the facts for sixes, sevens, eights, and nines that you can solve using the commutative property.

| × | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
|----|---|----|---|---|----|----|---|----|---|----|
| 1 | | 2 | 3 | | | | | | | |
| 2 | | 4 | | 8 | | | | 16 | | |
| 3 | | | | | | 18 | | | | |
| 4 | | | | | 20 | | | | | |
| 5 | | | | | | | | | | 50 |
| 6 | | 12 | | | | | | | | |
| 7 | | | | | | | | | | |
| 8 | | | | | | | | | | |
| 9 | | | | | | | | | | |
| 10 | | | | | | | | | | |

- b. Complete the chart. Each bag contains 7 apples.

| | | | | | |
|-------------------------------|---|----|---|---|----|
| Number of Bags | 2 | | 4 | 5 | |
| Total Number of Apples | | 21 | | | 42 |

2. Use the array to write two different multiplication sentences.



$$\underline{\quad} = \underline{\quad} \times \underline{\quad}$$

$$\underline{\quad} = \underline{\quad} \times \underline{\quad}$$

3. Complete the equations.

a. 2 sevens = _____ twos
= 14

g. $3 \times 9 = 10$ threes – _____ three
= _____

b. 3 _____ = 6 threes
= _____

h. 10 fours – 1 four = _____ \times 4
= _____

c. 10 eights = 8 _____
= _____

i. $8 \times 4 = 5$ fours + _____ fours
= _____

d. $4 \times$ _____ = 6×4
= _____

j. _____ fives + 1 five = 6×5
= _____

e. $8 \times 5 =$ _____ \times 8
= _____

k. 5 threes + 2 threes = _____ \times _____
= _____

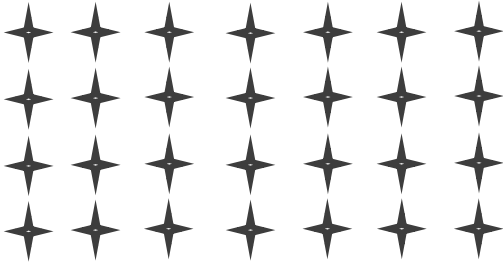
f. _____ \times 7 = $7 \times$ _____
= 28

l. _____ twos + _____ twos = 10 twos
= _____

Name _____

Date _____

1. Use the array to write two different multiplication facts.



$$\underline{\quad} = \underline{\quad} \times \underline{\quad}$$

$$\underline{\quad} = \underline{\quad} \times \underline{\quad}$$

2. Karen says, "If I know $3 \times 8 = 24$, then I know the answer to 8×3 ." Explain why this is true.

Preview Material

Jocelyn says 7 fives has the same answer as 3 sevens + 2 sevens. Is she correct? Explain why or why not.

Preview Material

Read**Draw****Write**

Preview Material

Name _____

Date _____

1. Each  has a value of 7.



Unit form: 5 _____

Facts: $5 \times \underline{\quad} = \underline{\quad} \times 5$

Total = _____



Unit form: 6 sevens = _____ sevens + _____ seven

= $35 + \underline{\quad}$

= _____

Facts: _____ \times _____ = __________ \times _____ = _____

2. a. Each dot has a value of 8

○ Unit form: 5 _____



○ Facts: $5 \times \underline{\quad} = \underline{\quad} \times 5$



○ Total = _____

- b. Use the fact above to find 8×6 . Show your work using pictures, numbers, or words.

3. An author writes 9 pages of her book each week. How many pages does she write in 7 weeks? Use a fives fact to solve.

-
4. Mrs. Gonzalez buys a total of 32 crayons for her classroom. Each pack contains 8 crayons. How many packs of crayons does Mrs. Gonzalez buy?

-
5. Hannah has \$500. She buys a camera for \$435 and 4 other items for \$9 each. Now Hannah wants to buy speakers for \$50. Does she have enough money to buy the speakers? Explain.

Preview Material

Name _____

Date _____

Use a fives fact to help you solve 7×6 . Show your work using pictures, numbers, or words.

Preview Material

Preview Material

Twenty-four people line up to use the canoes at the park. Three people are assigned to each canoe. How many canoes are used?

Preview Material

Read**Draw****Write**

Preview Material

Name _____

Date _____

1. Each equation contains a letter representing the unknown. Find the value of the unknowns, and then write the letters that match the answers to solve the riddle.

| | | | |
|-------------------|-------------------------|--------------------|----------------------------|
| $5 \times 4 = e$ | $e = \underline{\quad}$ | $21 \div 3 = \ell$ | $\ell = \underline{\quad}$ |
| $24 \div i = 4$ | $i = \underline{\quad}$ | $21 = c \times 7$ | $c = \underline{\quad}$ |
| $32 = s \times 8$ | $s = \underline{\quad}$ | $t \div 10 = 7$ | $t = \underline{\quad}$ |
| $8 = 80 \div n$ | $n = \underline{\quad}$ | $24 \div b = 12$ | $b = \underline{\quad}$ |
| $4 = 36 \div k$ | $k = \underline{\quad}$ | $8 = a \div 3$ | $a = \underline{\quad}$ |
| $8 = a \div 3$ | $a = \underline{\quad}$ | $35 = 7 \times h$ | $h = \underline{\quad}$ |

Which tables do you NOT have to learn?

| | | | | | | | | | | | | |
|---|---|----|---|---|----|----|----|----|---|---|----|---|
| 9 | 6 | 70 | 3 | 5 | 20 | 10 | 70 | 24 | 2 | 7 | 20 | 4 |
|---|---|----|---|---|----|----|----|----|---|---|----|---|

2. Lonna buys 3 t-shirts for \$8 each.
- What is the total amount Lonna spends on 3 t-shirts? Use the letter m to represent the total amount of money Lonna spends, and then solve the problem.
 - If Lonna hands the cashier 3 ten dollar bills, how much change will she receive? Use the letter c in an equation to represent the change, and then find the value of c .

3. Miss Potts used a total of 28 cups of flour to bake some bread. She used 4 cups of flour for each loaf of bread. How many loaves of bread did she bake? Represent the problem using multiplication and division sentences and a letter for the unknown. Then, solve the problem.

$$\underline{\quad} \times \underline{\quad} = \underline{\quad}$$

$$\underline{\quad} \div \underline{\quad} = \underline{\quad}$$

-
4. At a table tennis tournament, two games went on for a total of 32 minutes. One game took 12 minutes longer than the other. How long did it take to complete each game? Use letters to represent the unknowns. Solve the problem.



CHALLENGE!

Preview Material

Name _____

Date _____

Find the value of the unknown in Problems 1–4.

1. $z = 5 \times 9$

$z = \underline{\hspace{2cm}}$

2. $30 \div 6 = v$

$v = \underline{\hspace{2cm}}$

3. $8 \times w = 24$

$w = \underline{\hspace{2cm}}$

4. $y \div 4 = 7$

$y = \underline{\hspace{2cm}}$

5. Mr. Strand waters his rose bushes for a total of 15 minutes. He waters each rose bush for 3 minutes. How many rose bushes does Mr. Strand water? Represent the problem using multiplication and division sentences and a letter for the unknown. Then, solve the problem.

$\underline{\hspace{2cm}} \times \underline{\hspace{2cm}} = \underline{\hspace{2cm}}$

$\underline{\hspace{2cm}} \div \underline{\hspace{2cm}} = \underline{\hspace{2cm}}$

Preview Material

Marshall puts 6 pictures on each of the 6 pages in his photo album. How many pictures does he put in the photo album in all?

Preview Material

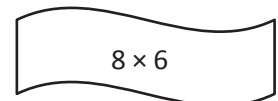
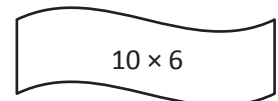
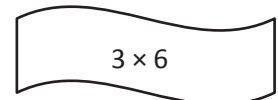
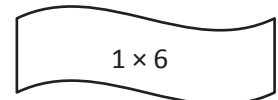
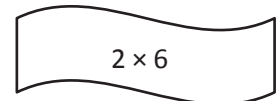
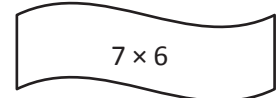
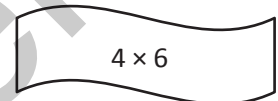
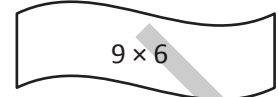
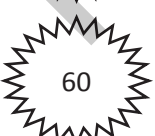
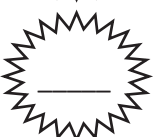
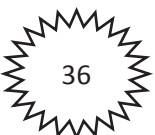
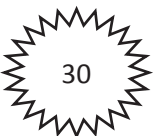
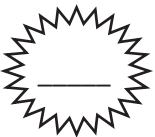
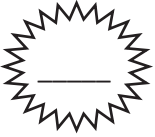
Read**Draw****Write**

Preview Material

Name _____

Date _____

1. Skip-count by six to fill in the blanks. Match each number in the count-by with its multiplication fact.



2. Count by six to fill in the blanks below.

6, _____, _____, _____

Complete the multiplication equation that represents the final number in your count-by.

$$6 \times \underline{\quad} = \underline{\quad}$$

Complete the division equation that represents your count-by.

$$\underline{\quad} \div 6 = \underline{\quad}$$

3. Count by six to fill in the blanks below.

6, _____, _____, _____, _____, _____, _____

Complete the multiplication equation that represents the final number in your count-by.

$$6 \times \underline{\quad} = \underline{\quad}$$

Complete the division equation that represents your count-by.

$$\underline{\quad} \div 6 = \underline{\quad}$$

4. Mrs. Byrne's class skip-counts by six for a group counting activity. When she points up, they count up by six, and when she points down, they count down by six. The arrows show when she changes direction.
- a. Fill in the blanks below to show the group counting answers.

↑ 0, 6, _____, 18, _____ ↓ _____, 12 ↑ _____, 24, 30, _____ ↓ 30, 24, _____ ↑ 24, _____, 36, _____, 48

- b. Mrs. Byrne says the last number that the class counts is the product of 6 and another number. Write a multiplication sentence and a division sentence to show she's right.

$$6 \times \underline{\quad} = 48$$

$$48 \div 6 = \underline{\quad}$$

5. Julie counts by six to solve 6×7 . She says the answer is 36. Is she right? Explain your answer.

Name _____

Date _____

1. Sylvia solves 6×9 by adding $48 + 6$. Show how Sylvia breaks apart and bonds her numbers to complete the ten. Then, solve.

2. Skip-count by six to solve the following:

a. $8 \times 6 =$ _____

b. $54 \div 6 =$ _____

Preview Material

Preview Material

Gracie draws 7 rows of stars. In each row, she draws 4 stars. How many stars does Gracie draw in all? Use a letter to represent the unknown and solve.

Preview Material

Read

Draw

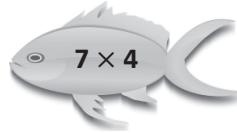
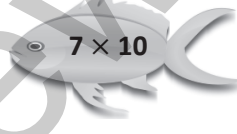
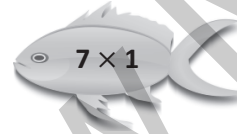
Write

Preview Material

Name _____

Date _____

1. Skip-count by seven to fill in the blanks in the fish bowls. Match each count-by to its multiplication expression. Then, use the multiplication expression to write the related division fact directly to the right.



$$\underline{\hspace{2cm}} \div 7 = \underline{\hspace{2cm}}$$

$$\underline{\hspace{2cm}} \div 7 = \underline{\hspace{2cm}}$$

$$\underline{\hspace{2cm}} \div 7 = \underline{\hspace{2cm}}$$

$$\underline{\hspace{2cm}} \div 7 = \underline{\hspace{2cm}}$$

$$\underline{\hspace{2cm}} \div 7 = \underline{\hspace{2cm}}$$

$$\underline{\hspace{2cm}} \div 7 = \underline{\hspace{2cm}}$$

$$\underline{\hspace{2cm}} \div 7 = \underline{\hspace{2cm}}$$

$$\underline{\hspace{2cm}} \div 7 = \underline{\hspace{2cm}}$$

$$\underline{\hspace{2cm}} \div 7 = \underline{\hspace{2cm}}$$

$$\underline{\hspace{2cm}} \div 7 = \underline{\hspace{2cm}}$$

2. Complete the count-by seven sequence below. Then, write a multiplication equation and a division equation to represent each blank you filled in.

7, 14, _____, 28, _____, 42, _____, _____, 63, _____

a. _____ \times 7 = _____ _____ \div 7 = _____

b. _____ \times 7 = _____ _____ \div 7 = _____

c. _____ \times 7 = _____ _____ \div 7 = _____

d. _____ \times 7 = _____ _____ \div 7 = _____

e. _____ \times 7 = _____ _____ \div 7 = _____

-
3. Abe says $3 \times 7 = 21$ because 1 seven is 7, 2 sevens are 14, and 3 sevens are $14 + 6 + 1$, which equals 21. Why did Abe add 6 and 1 to 14 when he is counting by seven?

-
4. Molly says she can count by seven 6 times to solve 7×6 . James says he can count by six 7 times to solve this problem. Who is right? Explain your answer.

Name _____

Date _____

Complete the count-by seven sequence below. Then, write a multiplication equation and a division equation to represent each number in the sequence.

7, 14, _____, 28, _____, 42, _____, _____, 63, _____

a. _____ \times 7 = _____ _____ \div 7 = _____

b. _____ \times 7 = _____ _____ \div 7 = _____

c. _____ \times 7 = _____ _____ \div 7 = _____

d. _____ \times 7 = _____ _____ \div 7 = _____

e. _____ \times 7 = _____ _____ \div 7 = _____

f. _____ \times 7 = _____ _____ \div 7 = _____

g. _____ \times 7 = _____ _____ \div 7 = _____

h. _____ \times 7 = _____ _____ \div 7 = _____

i. _____ \times 7 = _____ _____ \div 7 = _____

j. _____ \times 7 = _____ _____ \div 7 = _____

Preview Material

Mabel cuts 9 pieces of ribbon for an art project. Each piece of ribbon is 7 centimeters long. What is the total length of the pieces of ribbon that Mabel cuts?

Preview Material

Read**Draw****Write**

Preview Material

Name _____

Date _____

1. Label the tape diagrams. Then, fill in the blanks below to make the statements true.

a. $6 \times 6 = \underline{\quad}$

$(5 \times 6) = \underline{\quad}$

$(\underline{\quad} \times 6) = \underline{\quad}$

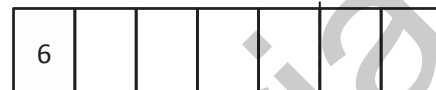


$$\begin{aligned} (6 \times 6) &= (5 + 1) \times 6 \\ &= (5 \times 6) + (1 \times 6) \\ &= \underline{30} + \underline{\quad} \\ &= \underline{\quad} \end{aligned}$$

b. $7 \times 6 = \underline{\quad}$

$(5 \times 6) = \underline{\quad}$

$(\underline{\quad} \times 6) = \underline{\quad}$



$$\begin{aligned} (7 \times 6) &= (5 + 2) \times 6 \\ &= (5 \times 6) + (2 \times 6) \\ &= \underline{30} + \underline{\quad} \\ &= \underline{\quad} \end{aligned}$$

c. $8 \times 6 = \underline{\quad}$

$(5 \times 6) = \underline{\quad}$

$(\underline{\quad} \times 6) = \underline{\quad}$



$$\begin{aligned} 8 \times 6 &= (5 + \underline{\quad}) \times 6 \\ &= (5 \times 6) + (\underline{\quad} \times 6) \\ &= \underline{30} + \underline{\quad} \\ &= \underline{\quad} \end{aligned}$$

d. $9 \times 6 = \underline{\quad}$

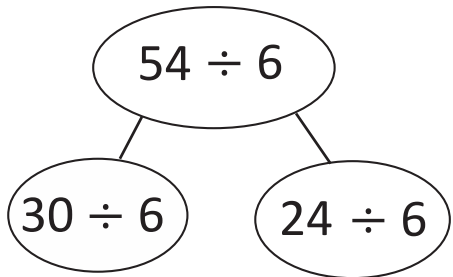
$(5 \times 6) = \underline{\quad}$

$(\underline{\quad} \times 6) = \underline{\quad}$



$$\begin{aligned} 9 \times 6 &= (5 + \underline{\quad}) \times 6 \\ &= (5 \times 6) + (\underline{\quad} \times 6) \\ &= \underline{30} + \underline{\quad} \\ &= \underline{\quad} \end{aligned}$$

2. Break apart 54 to solve $54 \div 6$.

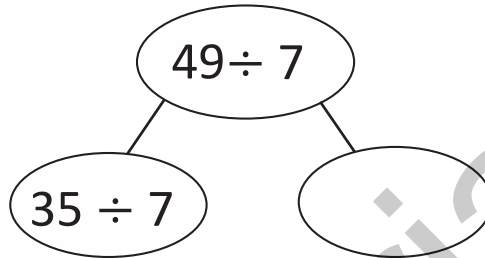


$$54 \div 6 = (30 \div 6) + (\underline{\hspace{2cm}} \div 6)$$

$$= 5 + \underline{\hspace{2cm}}$$

$$= \underline{\hspace{2cm}}$$

3. Break apart 49 to solve $49 \div 7$.



$$49 \div 7 = (35 \div 7) + (\underline{\hspace{2cm}} \div 7)$$

$$= 5 + \underline{\hspace{2cm}}$$

$$= \underline{\hspace{2cm}}$$

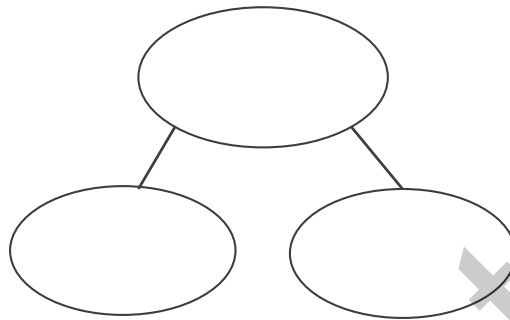
4. Robert says that he can solve 6×8 by thinking of it as $(5 \times 8) + 8$. Is he right? Draw a picture to help explain your answer.

5. Kelly solves $42 \div 7$ by using a number bond to break apart 42 into two parts. Show what her work might look like below.

Name _____

Date _____

1. A parking lot has space for 48 cars. Six cars can park in 1 row. Break apart 48 to find how many rows there are in the parking lot.



-
2. Malia solves 6×7 using $(5 \times 7) + 7$. Leonidas solves 6×7 using $(6 \times 5) + (6 \times 2)$. Who is correct? Draw a picture to help explain your answer.

Preview Material

Name _____

Date _____

1. Match the words to the correct equation.

a number times 6 equals 30



7 times a number equals 42



6 times 7 equals a number



63 divided by a number equals 9



36 divided by a number equals 6



a number times 7 equals 21



$$n \times 7 = 21$$

$$n \times 6 = 30$$

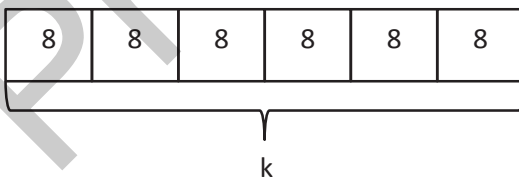
$$6 \times 7 = n$$

$$7 \times n = 42$$

$$36 \div n = 6$$

$$63 \div n = 9$$

2. Write an equation to represent the tape diagram below, and solve for the unknown.



Equation: _____

3. Model each problem with a drawing. Then, write an equation using a letter to represent the unknown, and solve for the unknown.
- Each student gets 3 pencils. There are a total of 21 pencils. How many students are there?
 - Henry spends 24 minutes practicing 6 different basketball drills. He spends the same amount of time on each drill. How much time does Henry spend on each drill?
 - Jessica has 8 pieces of yarn for a project. Each piece of yarn is 6 centimeters long. What is the total length of the yarn?
 - Ginny measures 6 milliliters of water into each beaker. She pours a total of 54 milliliters. How many beakers does Ginny use?

Name _____

Date _____

Model each problem with a drawing. Then, write an equation using a letter to represent the unknown, and solve for the unknown.

1. Three boys and three girls each buy 7 bookmarks. How many bookmarks do they buy all together?

2. Seven friends equally share the cost of a \$56 meal. How much does each person pay?

Preview Material

Richard has 2 cartons with 6 eggs in each. As he opens the cartons, he drops 2 eggs. How many unbroken eggs does Richard have left?

Preview Material

Read**Draw****Write**

Preview Material

Name _____

Date _____

1. Solve.

a. $(12 - 4) + 6 = \underline{\hspace{2cm}}$

b. $12 - (4 + 6) = \underline{\hspace{2cm}}$

c. $\underline{\hspace{2cm}} = 15 - (7 + 3)$

d. $\underline{\hspace{2cm}} = (15 - 7) + 3$

e. $\underline{\hspace{2cm}} = (3 + 2) \times 6$

f. $\underline{\hspace{2cm}} = 3 + (2 \times 6)$

g. $4 \times (7 - 2) = \underline{\hspace{2cm}}$

h. $(4 \times 7) - 2 = \underline{\hspace{2cm}}$

i. $\underline{\hspace{2cm}} = (12 \div 2) + 4$

j. $\underline{\hspace{2cm}} = 12 \div (2 + 4)$

k. $9 + (15 \div 3) = \underline{\hspace{2cm}}$

l. $(9 + 15) \div 3 = \underline{\hspace{2cm}}$

m. $60 \div (10 - 4) = \underline{\hspace{2cm}}$

n. $(60 \div 10) - 4 = \underline{\hspace{2cm}}$

o. $\underline{\hspace{2cm}} = 35 + (10 \div 5)$

p. $\underline{\hspace{2cm}} = (35 + 10) \div 5$

2. Use parentheses to make the equations true.

| | |
|------------------------------|--------------------------------|
| a. $16 - 4 + 7 = 19$ | b. $16 - 4 + 7 = 5$ |
| c. $2 = 22 - 15 + 5$ | d. $12 = 22 - 15 + 5$ |
| e. $3 + 7 \times 6 = 60$ | f. $3 + 7 \times 6 = 45$ |
| g. $5 = 10 \div 10 \times 5$ | h. $50 = 100 \div 10 \times 5$ |
| i. $26 - 5 \div 7 = 3$ | j. $36 = 4 \times 25 - 16$ |

3. The teacher writes $24 \div 4 + 2 = \underline{\hspace{2cm}}$ on the board. Chad says it equals 8. Samir says it equals 4. Explain how placing the parentheses in the equation can make both answers true.

4. Natasha solves the equation below by finding the sum of 5 and 12. Place the parentheses in the equation to show her thinking. Then, solve.

| |
|---|
| $12 + 15 \div 3 = \underline{\hspace{2cm}}$ |
|---|

5. Find two possible answers to the expression $7 + 3 \times 2$ by placing the parentheses in different places.

Name _____

Date _____

1. Use parentheses to make the equations true.

a. $24 = 32 - 14 + 6$

b. $12 = 32 - 14 + 6$

c. $2 + 8 \times 7 = 70$

d. $2 + 8 \times 7 = 58$

2. Marcos solves $24 \div 6 + 2 = \underline{\hspace{2cm}}$. He says it equals 6. Iris says it equals 3. Show how the position of parentheses in the equation can make both answers true.

Preview Material

Preview Material

Name _____

Date _____

Solve the following pairs of problems. Circle the pairs where both problems have the same answer.

1. a. $7 + (6 + 4)$

b. $(7 + 6) + 4$

5. a. $(3 + 2) \times 5$

b. $3 + (2 \times 5)$

2. a. $(3 \times 2) \times 4$

b. $3 \times (2 \times 4)$

6. a. $(8 \div 2) \times 2$

b. $8 \div (2 \times 2)$

3. a. $(2 \times 1) \times 5$

b. $2 \times (1 \times 5)$

7. a. $(9 - 5) + 3$

b. $9 - (5 + 3)$

4. a. $(4 \times 2) \times 2$

b. $4 \times (2 \times 2)$

8. a. $(8 \times 5) - 4$

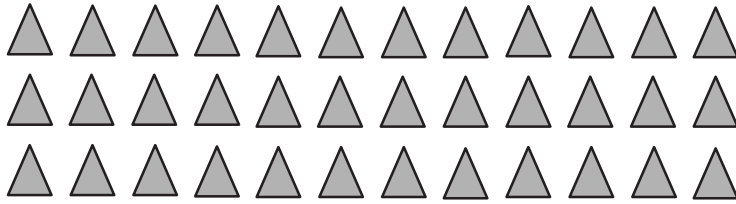
b. $8 \times (5 - 4)$

Preview Material

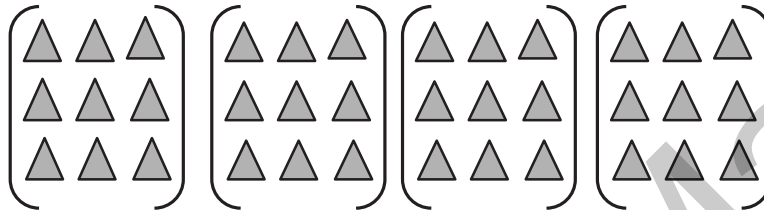
Name _____

Date _____

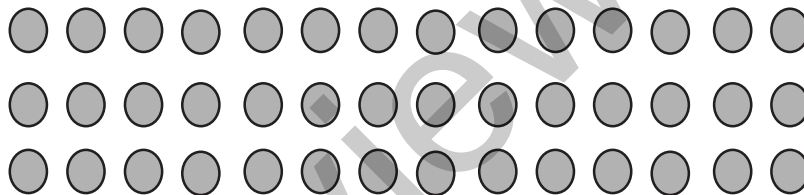
1. Use the array to complete the equation.



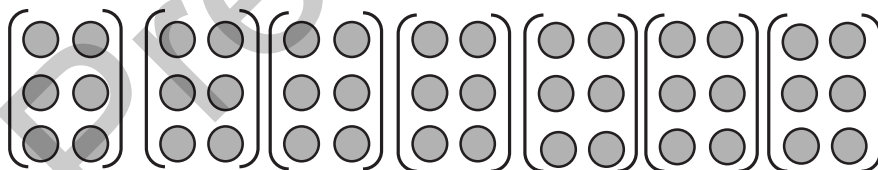
a. $3 \times 12 = \underline{\quad}$



b. $(3 \times 3) \times 4$
 $= \underline{\quad} \times 4$
 $= \underline{\quad}$



c. $3 \times 14 = \underline{\quad}$



d. $(\underline{\quad} \times \underline{\quad}) \times 7$
 $= \underline{\quad} \times \underline{\quad}$
 $= \underline{\quad}$

2. Place parentheses in the equations to simplify. Then, solve. The first one has been done for you.

a. $3 \times 16 = 3 \times (2 \times 8)$
 $= (3 \times 2) \times 8$
 $= \underline{6} \times 8$

48

b. $2 \times 14 = 2 \times (2 \times 7)$
 $= (2 \times 2) \times 7$
 $= \underline{\quad} \times 7$

c. $3 \times 12 = 3 \times (3 \times 4)$
 $= 3 \times 3 \times 4$
 $= \underline{\quad} \times \underline{\quad}$

d. $3 \times 14 = 3 \times 2 \times 7$
 $= 3 \times 2 \times 7$
 $= \underline{\quad} \times \underline{\quad}$

e. $15 \times 3 = 5 \times 3 \times 3$
 $= 5 \times 3 \times 3$
 $= \underline{\quad} \times \underline{\quad}$

f. $15 \times 2 = 5 \times 3 \times 2$
 $= 5 \times 3 \times 2$
 $= \underline{\quad} \times \underline{\quad}$

3. Charlotte finds the answer to 16×2 by thinking about 8×4 . Explain her strategy.

Name _____

Date _____

Simplify to find the answer to 18×3 . Show your work, and explain your strategy.

Preview Material

Preview Material

Use the 5 plus something break apart and distribute strategy to solve 6×8 . Model with a tape diagram.

Preview Material

Read

Draw

Write

Preview Material

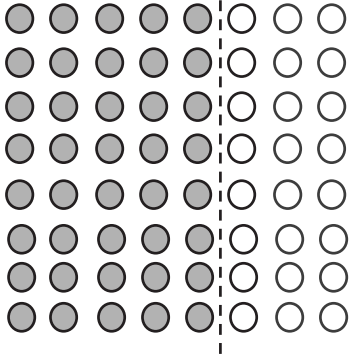
Name _____

Date _____

1. Label the arrays. Then, fill in the blanks below to make the statements true.

a. $8 \times 8 =$ _____

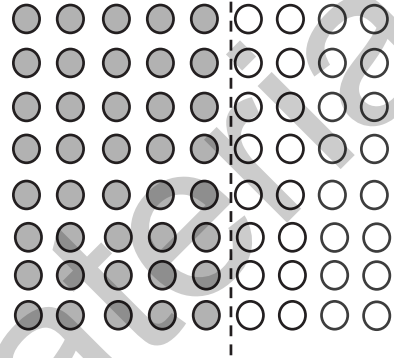
$(8 \times 5) =$ _____ $(8 \times \text{_____}) =$ _____



$$\begin{aligned} 8 \times 8 &= 8 \times (5 + \text{_____}) \\ &= (8 \times 5) + (8 \times \text{_____}) \\ &= \underline{40} + \text{_____} \\ &= \text{_____} \end{aligned}$$

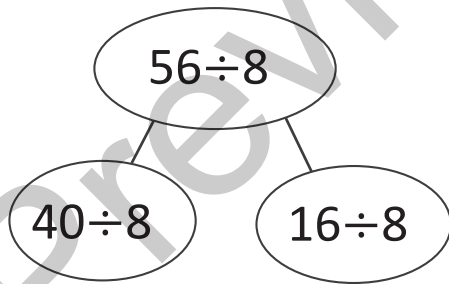
b. $8 \times 9 = 9 \times 8 =$ _____

$(8 \times 5) =$ _____ $(8 \times \text{_____}) =$ _____



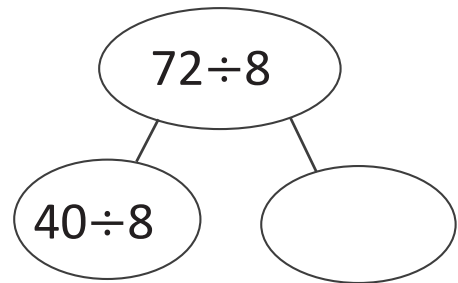
$$\begin{aligned} 9 \times 8 &= 8 \times (5 + \text{_____}) \\ &= (8 \times 5) + (8 \times \text{_____}) \\ &= \underline{40} + \text{_____} \\ &= \text{_____} \end{aligned}$$

2. Break apart and distribute to solve $56 \div 8$.



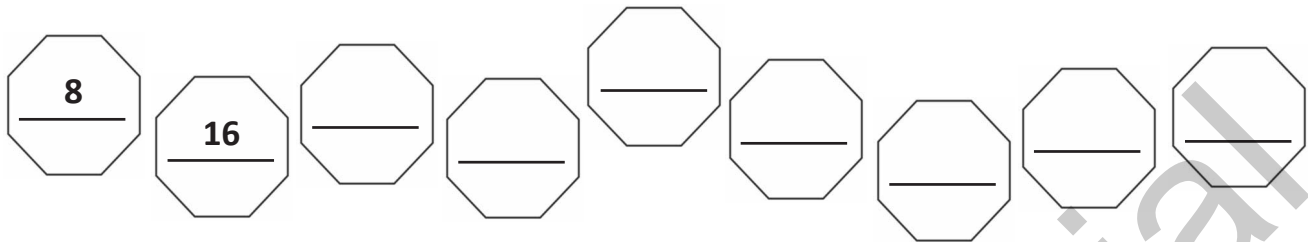
$$\begin{aligned} 56 \div 8 &= (40 \div 8) + (\text{_____} \div 8) \\ &= 5 + \text{_____} \\ &= \text{_____} \end{aligned}$$

3. Break apart and distribute to solve $72 \div 8$.



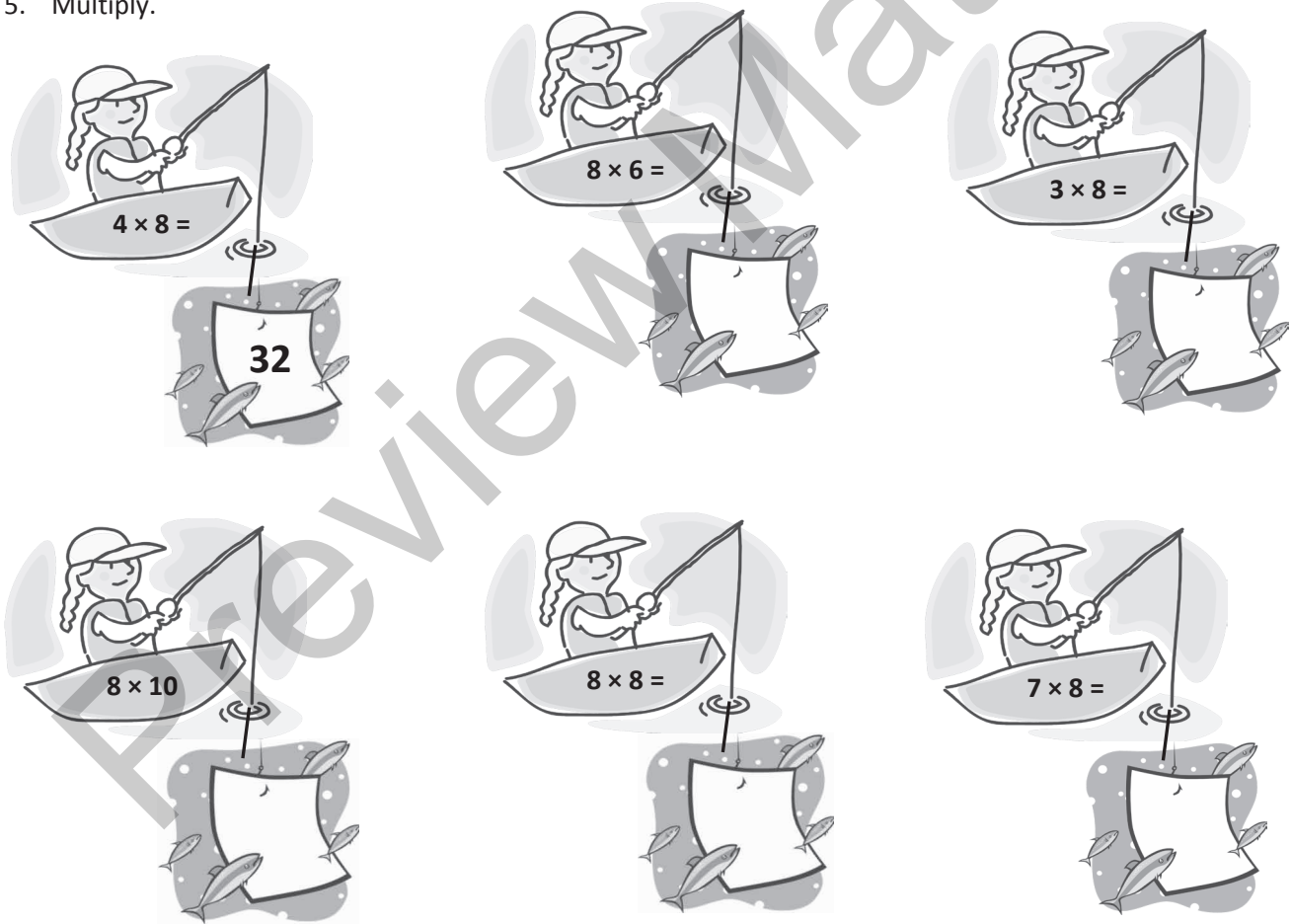
$$\begin{aligned} 72 \div 8 &= (40 \div 8) + (\text{_____} \div 8) \\ &= 5 + \text{_____} \\ &= \text{_____} \end{aligned}$$

4. An octagon has 8 sides. Skip-count to find the total number of sides on 9 octagons.



Nine octagons have a total of _____ sides.

5. Multiply.



6. Match.

24 ÷ 8

32 ÷ 8

16 ÷ 8

64 ÷ 8

48 ÷ 8

72 ÷ 8

1

2

3

4

5

6

7

8

9

Preview Material

Name _____

Date _____

Use the break apart and distribute strategy to solve the following problem. You may choose whether or not to draw an array.

$7 \times 8 = \underline{\quad}$

Preview Material

Preview Material

Name _____

Date _____

1. Ms. Santor divides 32 students into 8 equal groups for a field trip. Draw a tape diagram, and label the number of students in each group as n . Write an equation, and solve for n .

-
2. Tara buys 6 packs of printer paper. Each pack of paper costs \$8. Draw a tape diagram, and label the total amount she spends as m . Write an equation, and solve for m .

-
3. Mr. Reed spends \$24 on coffee beans. How many kilograms of coffee beans does he buy? Draw a tape diagram, and label the total amount of coffee beans he buys as c . Write an equation, and solve for c .

\$8 for 1 kg



4. Eight boys equally share 4 packs of baseball cards. Each pack contains 10 cards. How many cards does each boy get?
-

5. There are 8 bags of yellow and green balloons. Each bag contains 7 balloons. If there are 35 yellow balloons, how many green balloons are there?
-

6. The fruit seller packs 72 oranges into bags of 8 each. He sells all the oranges at \$4 a bag. How much money did he receive?

Name _____

Date _____

Erica buys some packs of rubber bracelets. There are 8 bracelets in each pack.

- a. How many packs of rubber bracelets does she buy if she has a total of 56 bracelets? Draw a tape diagram, and label the total number of packages as p . Write an equation, and solve for p .
- b. After giving some bracelets away, Erica has 18 left. How many bracelets did she give away?

Preview Material

A scientist fills 5 test tubes with 9 milliliters of fresh water in each. She fills another 3 test tubes with 9 milliliters of salt water in each. How many milliliters of water does she use in all? Use the break apart and distribute strategy to solve.

Preview Material

Read


Draw

Write

Preview Material

Name _____

Date _____

1. Each  has a value of 9. Find the value of each row. Then, add the rows to find the total.

a. $6 \times 9 = \underline{\quad}$



$5 \times 9 = 45$



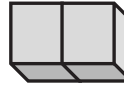
$1 \times 9 = \underline{\quad}$

$$\begin{aligned} 6 \times 9 &= (5 + 1) \times 9 \\ &= (5 \times 9) + (1 \times 9) \\ &= 45 + \underline{\quad} \\ &= \underline{\quad} \end{aligned}$$

b. $7 \times 9 = \underline{\quad}$



$5 \times 9 = 45$



$\underline{\quad} \times 9 = \underline{\quad}$

$$\begin{aligned} 7 \times 9 &= (5 + \underline{\quad}) \times 9 \\ &= (5 \times 9) + (\underline{\quad} \times 9) \\ &= 45 + \underline{\quad} \\ &= \underline{\quad} \end{aligned}$$

c. $8 \times 9 = \underline{\quad}$



$5 \times 9 = \underline{\quad}$



$\underline{\quad} \times 9 = \underline{\quad}$

$$\begin{aligned} 8 \times 9 &= (5 + \underline{\quad}) \times 9 \\ &= (5 \times 9) + (\underline{\quad} \times \underline{\quad}) \\ &= 45 + \underline{\quad} \\ &= \underline{\quad} \end{aligned}$$

d. $9 \times 9 = \underline{\quad}$



$5 \times 9 = \underline{\quad}$

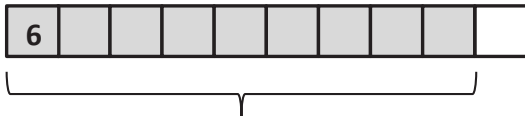


$\underline{\quad} \times 9 = \underline{\quad}$

$$\begin{aligned} 9 \times 9 &= (5 + \underline{\quad}) \times 9 \\ &= (5 \times 9) + (\underline{\quad} \times \underline{\quad}) \\ &= 45 + \underline{\quad} \\ &= \underline{\quad} \end{aligned}$$

2. Find the total value of the shaded blocks.

a. $9 \times 6 =$

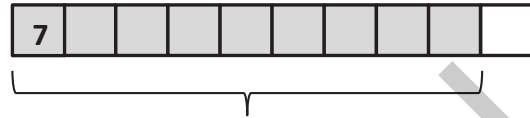


$$9 \text{ sixes} = 10 \text{ sixes} - 1 \text{ six}$$

$$= \underline{\quad} - 6$$

$$= \underline{\quad}$$

b. $9 \times 7 =$

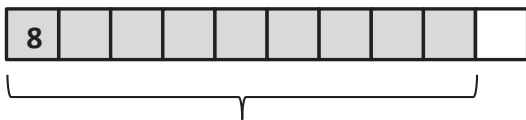


$$9 \text{ sevens} = 10 \text{ sevens} - 1 \text{ seven}$$

$$= \underline{\quad} - 7$$

$$= \underline{\quad}$$

c. $9 \times 8 =$

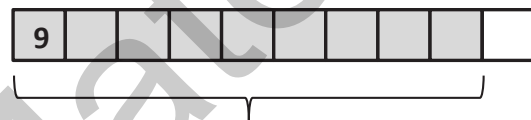


$$9 \text{ eights} = 10 \text{ eights} - 1 \text{ eight}$$

$$= \underline{\quad} - 8$$

$$= \underline{\quad}$$

d. $9 \times 9 =$



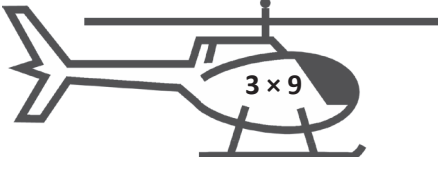

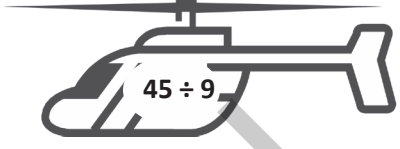
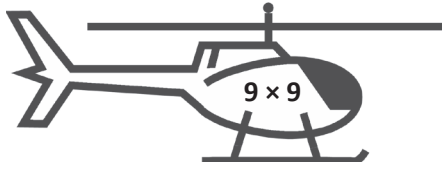


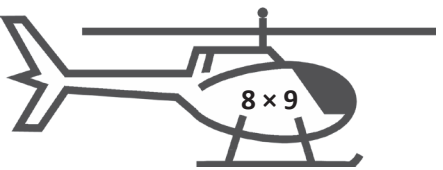

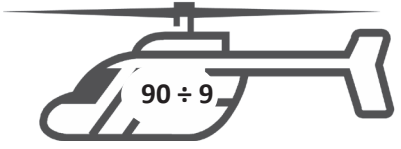
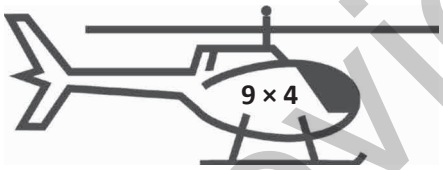

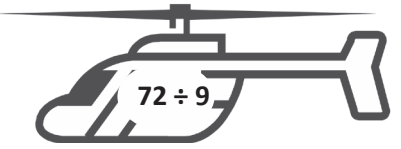
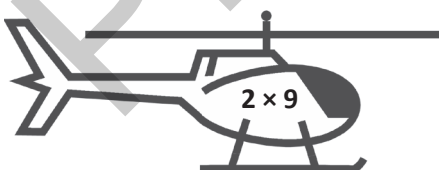

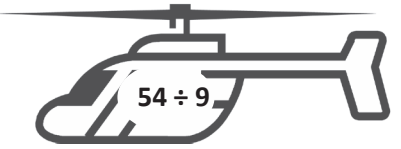





$$9 \text{ nines} = 10 \text{ nines} - 1 \text{ nine}$$

$$= \underline{\quad} - \underline{\quad}$$

$$= \underline{\quad}$$

3. Matt buys a pack of postage stamps. He counts 9 rows of 4 stamps. He thinks of 10 fours to find the total number of stamps. Show the strategy that Matt might have used to find the total number of stamps.


4. Match.

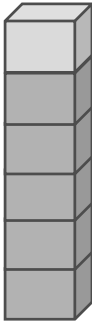
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Preview Material

Name _____

Date _____

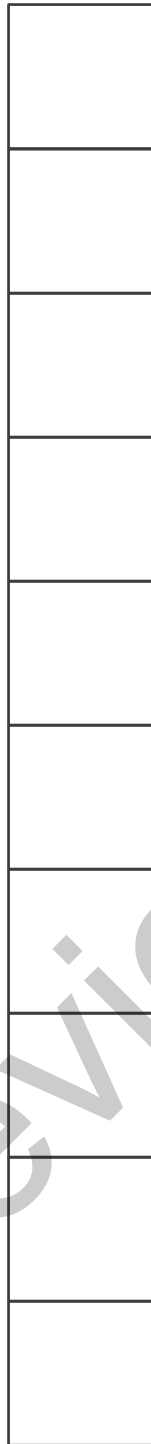
1. Each  has a value of 9. Complete the equations to find the total value of the tower of blocks.



$$\begin{aligned} \underline{\quad} \times 9 &= (5 + \underline{\quad}) \times 9 \\ &= (5 \times \underline{\quad}) + (\underline{\quad} \times \underline{\quad}) \\ &= 45 + \underline{\quad} \\ &= \underline{\quad} \end{aligned}$$

2. Hector solves 9×8 by subtracting 1 eight from 10 eights. Draw a model, and explain Hector's strategy.

Preview Material



tape diagram

Preview Material

Michaela and Gilda read the same book. It takes Michaela about 8 minutes to read a chapter and Gilda about 10 minutes. There are 9 chapters in the book. How many fewer minutes does Michaela spend reading than Gilda?

Preview Material

Read

Draw

Write

Preview Material

3. a. Analyze the equations in Problem 2. What is the pattern?

b. Use the pattern to find the next 4 facts. Show your work.

$11 \times 9 =$

$12 \times 9 =$

$13 \times 9 =$

$14 \times 9 =$

c. Kent notices another pattern in Problem 2. His work is shown below. He sees the following:

- The tens digit in the product is 1 less than the number of groups.
- The ones digit in the product is 10 minus the number of groups.

| | Tens digit | Ones digit |
|-------------------------------|---|--------------------------|
| $2 \times 9 = \underline{18}$ | $\rightarrow \quad \underline{1} = 2 - 1$ | $\underline{8} = 10 - 2$ |
| $3 \times 9 = \underline{27}$ | $\rightarrow \quad \underline{2} = 3 - 1$ | $\underline{7} = 10 - 3$ |
| $4 \times 9 = \underline{36}$ | $\rightarrow \quad \underline{3} = 4 - 1$ | $\underline{6} = 10 - 4$ |
| $5 \times 9 = \underline{45}$ | $\rightarrow \quad \underline{4} = 5 - 1$ | $\underline{5} = 10 - 5$ |

Use Kent's strategy to solve 6×9 and 7×9 .

d. Show an example of when Kent's pattern doesn't work.

4. Each equation contains a letter representing the unknown. Find the value of each unknown. Then, write the letters that match the answers to solve the riddle.

$$a \times 9 = 54$$

$$a = \underline{\quad}$$

$$81 \div 9 = g$$

$$g = \underline{\quad}$$

$$9 \times d = 72$$

$$d = \underline{\quad}$$

$$o \div 9 = 10$$

$$o = \underline{\quad}$$

$$e \times 9 = 63$$

$$e = \underline{\quad}$$

$$9 \times n = 27$$

$$n = \underline{\quad}$$

$$t \times 9 = 18$$

$$t = \underline{\quad}$$

$$9 \times s = 36$$

$$s = \underline{\quad}$$

$$i \div 9 = 5$$

$$i = \underline{\quad}$$

How do you make one vanish?

$$\frac{6}{6} \frac{8}{8} \frac{8}{8} \frac{6}{6} \frac{“}{9} \frac{”}{9} \frac{6}{6} \frac{3}{3} \frac{8}{8} \frac{45}{45} \frac{2}{2} \frac{'}{4} \frac{9}{9} \frac{90}{90} \frac{3}{3} \frac{7}{7} !$$

Preview Material

Name _____

Date _____

1. $6 \times 9 = 54$

$8 \times 9 = 72$

What is 10 more than 54? _____

What is 10 more than 72? _____

What is 1 less? _____

What is 1 less? _____

$7 \times 9 =$ _____

$9 \times 9 =$ _____

2. Explain the pattern used in Problem 1.

Preview Material

Name _____

Date _____

1. a. Multiply. Then, add the tens digit and ones digit of each product.

| | |
|-------------------|---|
| $1 \times 9 = 9$ | $\underline{0} + \underline{9} = \underline{9}$ |
| $2 \times 9 = 18$ | $\underline{1} + \underline{8} = \underline{\quad}$ |
| $3 \times 9 =$ | $\underline{\quad} + \underline{\quad} = \underline{\quad}$ |
| $4 \times 9 =$ | $\underline{\quad} + \underline{\quad} = \underline{\quad}$ |
| $5 \times 9 =$ | $\underline{\quad} + \underline{\quad} = \underline{\quad}$ |
| $6 \times 9 =$ | $\underline{\quad} + \underline{\quad} = \underline{\quad}$ |
| $7 \times 9 =$ | $\underline{\quad} + \underline{\quad} = \underline{\quad}$ |
| $8 \times 9 =$ | $\underline{\quad} + \underline{\quad} = \underline{\quad}$ |
| $9 \times 9 =$ | $\underline{\quad} + \underline{\quad} = \underline{\quad}$ |
| $10 \times 9 =$ | $\underline{\quad} + \underline{\quad} = \underline{\quad}$ |

- b. What is the sum of the digits in each product? How can this strategy help you check your work with the nines facts?

- c. Araceli continues to count by nines. She writes, "90, 99, 108, 117, 126, 135, 144, 153, 162, 171, 180, 189, 198. Wow! The sum of the digits is still 9." Is she correct? Why or why not?

2. Araceli uses the number of groups in 8×9 to help her find the product. She uses $8 - 1 = 7$ to get the digit in the tens place and $10 - 8 = 2$ to get the digit in the ones place. Use her strategy to find 4 more facts.
3. Dennis calculates 9×8 by thinking about it as $80 - 8 = 72$. Explain Dennis' strategy.
4. Sonya figures out the answer to 7×9 by putting down her right index finger (shown). What is the answer? Explain how to use Sonya's finger strategy.



Name _____

Date _____

Donald writes $6 \times 9 = 54$. Explain two strategies you could use to check his work.

Preview Material

Preview Material

Name _____

Date _____

Write an equation, and use a letter to represent the unknown for Problems 1–6.

1. Mrs. Parson gave each of her grandchildren \$9. She gave a total of \$36. How many grandchildren does Mrs. Parson have?

2. Shiva pours 27 liters of water equally into 9 containers. How many liters of water are in each container?

3. Derek cuts 7 pieces of wire. Each piece is 9 meters long. What is the total length of the 7 pieces?

4. Aunt Deena and Uncle Chris share the cost of a limousine ride with their 7 friends. The ride cost a total of \$63. If everyone shares the cost equally, how much does each person pay?
5. Cara bought 9 packs of beads. There are 10 beads in each pack. She always uses 30 beads to make each necklace. How many necklaces can she make if she uses all the beads?
6. There are 8 erasers in a set. Damon buys 9 sets. After giving some erasers away, Damon has 35 erasers left. How many erasers did he give away?

Name _____

Date _____

Use a letter to represent the unknown.

1. Mrs. Aquino pours 36 liters of water equally into 9 containers. How much water is in each container?

2. Marlon buys 9 packs of hot dogs. There are 6 hot dogs in each pack. After the barbeque, 35 hot dogs are left over. How many hot dogs were eaten?

Preview Material

Name _____

Date _____

1. Complete.

a. _____ \times 1 = 6

b. _____ \div 7 = 0

c. 8 \times _____ = 8

d. 9 \div _____ = 9

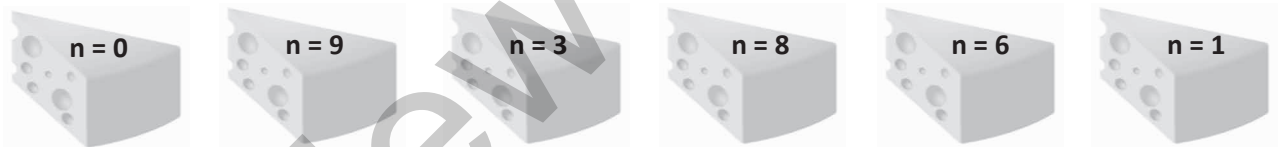
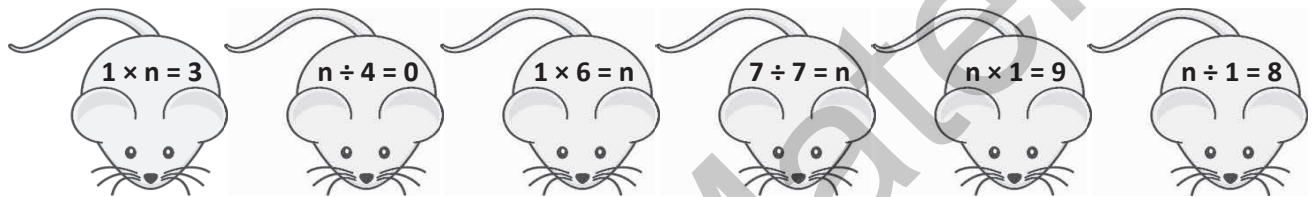
e. 0 \div 5 = _____

f. _____ \times 0 = 0

g. 4 \div _____ = 1

h. _____ \times 1 = 3

2. Match each equation with its solution.



3. Let n be a number. Complete the blanks below with the products.

| | | | | | | | | | | |
|------------|------------|------------|------------|------------|------------|------------|------------|------------|------------|------------|
| 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | ... | n |
| \times 1 | \times 1 | \times 1 | \times 1 | \times 1 | \times 1 | \times 1 | \times 1 | \times 1 | \times 1 | \times 1 |
| _____ | _____ | _____ | _____ | _____ | _____ | _____ | _____ | _____ | _____ | _____ |

What pattern do you notice?

4. Josie says that any number divided by 1 equals that number.
- Write a division equation using n to represent Josie's statement.
 - Use your equation from Part (a). Let $n = 6$. Write a new equation, and draw a picture to show that your equation is true.
 - Write the related multiplication equation that you can use to check your division equation.
5. Matt explains what he learned about dividing with zero to his little sister.
- What might Matt tell his sister about solving $0 \div 9$? Explain your answer.
 - What might Matt tell his sister about solving $8 \div 0$? Explain your answer.
 - What might Matt tell his sister about solving $0 \div 0$? Explain your answer.

Name _____

Date _____

1. Complete.

a. _____ \times 1 = 5

b. 6 \times _____ = 6

c. _____ \div 7 = 0

d. 5 \times _____ = 0

e. 1 = 9 \div _____

f. 8 = 1 \times _____

2. Luis divides 8 by 0 and says it equals 0. Is he correct? Explain why or why not.

Preview Material

Henry's garden has 9 rows of squash plants. Each row has 8 squash plants. There is also 1 row with 8 watermelon plants. How many squash and watermelon plants does Henry have in all?

Preview Material

Read**Draw****Write**

Preview Material

Name _____

Date _____

1. Write the products into the squares as fast as you can.

| | | | | | | | |
|--------------|--------------|--------------|--------------|--------------|--------------|--------------|--------------|
| 1×1 | 2×1 | 3×1 | 4×1 | 5×1 | 6×1 | 7×1 | 8×1 |
| 1×2 | 2×2 | 3×2 | 4×2 | 5×2 | 6×2 | 7×2 | 8×2 |
| 1×3 | 2×3 | 3×3 | 4×3 | 5×3 | 6×3 | 7×3 | 8×3 |
| 1×4 | 2×4 | 3×4 | 4×4 | 5×4 | 6×4 | 7×4 | 8×4 |
| 1×5 | 2×5 | 3×5 | 4×5 | 5×5 | 6×5 | 7×5 | 8×5 |
| 1×6 | 2×6 | 3×6 | 4×6 | 5×6 | 6×6 | 7×6 | 8×6 |
| 1×7 | 2×7 | 3×7 | 4×7 | 5×7 | 6×7 | 7×7 | 8×7 |
| 1×8 | 2×8 | 3×8 | 4×8 | 5×8 | 6×8 | 7×8 | 8×8 |








- a. Color all the squares with even products orange. Can an even product ever have an odd factor?
- b. Can an odd product ever have an even factor?
- c. Everyone knows that $7 \times 4 = (5 \times 4) + (2 \times 4)$. Explain how this is shown in the table.
- d. Use what you know to find the product of 7×16 or 8 sevens + 8 sevens.

2. In the table, only the products on the diagonal are shown.

a. Label each product on the diagonal.

| | | | | | |
|--------------|--------------|--------------|--------------|--------------|--------------|
| 1×1 | | | | | |
| | 2×2 | | | | |
| | | 3×3 | | | |
| | | | 4×4 | | |
| | | | | 5×5 | |
| | | | | | 6×6 |

b. Draw an array to match each expression in the table below. Then, label the number of squares you added to make each new array. The first two arrays have been done for you.

| | | | | | |
|---|---|--|---|---|---|
| 1×1 | 2×2 | 3×3 | 4×4 | 5×5 | 6×6 |
| □ |  | | | | |
|  |  |  |  |  |  |
| 3 | | | | | |

- c. What pattern do you notice in the number of squares that are added to each new array?
- d. Use the pattern you discovered in Part (b) to prove this: 9×9 is the sum of the first 9 odd numbers.

Preview Material

Preview Material

Name _____

Date _____

1. Use what you know to find the product of 8×12 or 6 eights + 6 eights.

2. Luis says $3 \times 233 = 626$. Use what you learned about odd times odd to explain why Luis is wrong.

Preview Material

Name _____

Date _____

Use the RDW process for each problem. Explain why your answer is reasonable.

1. Rose has 6 pieces of yarn that are each 9 centimeters long. Sasha gives Rose a piece of yarn. Now, Rose has a total of 81 centimeters of yarn. What is the length of the yarn that Sasha gives Rose?

2. Julio spends 29 minutes doing his spelling homework. He then completes each math problem in 4 minutes. There are 7 math problems. How many minutes does Julio spend on his homework in all?

3. Pearl buys 125 stickers. She gives 53 stickers to her little sister. Pearl then puts 9 stickers on each page of her album. If she uses all of her remaining stickers, on how many pages does Pearl put stickers?
4. Tanner's beaker had 45 milliliters of water in it at first. After each of his friends poured in 8 milliliters, the beaker contained 93 milliliters. How many friends poured water into Tanner's beaker?
5. Cora weighs 4 new, identical pencils and a ruler. The total weight of these items is 55 grams. She weighs the ruler by itself and it weighs 19 grams. How much does each pencil weigh?

Name _____

Date _____

Use the RDW process to solve. Explain why your answer is reasonable.

On Saturday, Warren swims laps in the pool for 45 minutes. On Sunday, he runs 8 miles. It takes him 9 minutes to run each mile. How long does Warren spend exercising over the weekend?

Preview Material

Mia has 152 beads. She uses some to make bracelets. Now there are 80 beads. If she uses 8 beads for each bracelet, how many bracelets does she make?

Preview Material

Read**Draw****Write**

Preview Material

Name _____

Date _____

1. Use the disks to fill in the blanks in the equations.

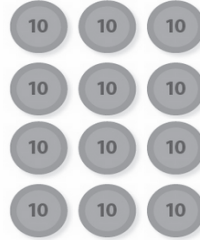
a.



$$4 \times 3 \text{ ones} = \underline{\quad\quad} \text{ ones}$$

$$4 \times 3 = \underline{\quad\quad}$$

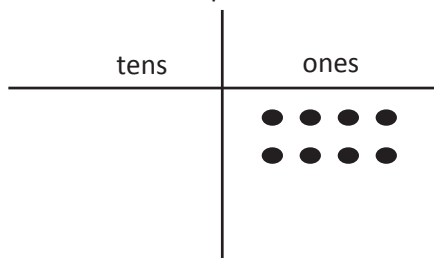
b.



$$4 \times 3 \text{ tens} = \underline{\quad\quad} \text{ tens}$$

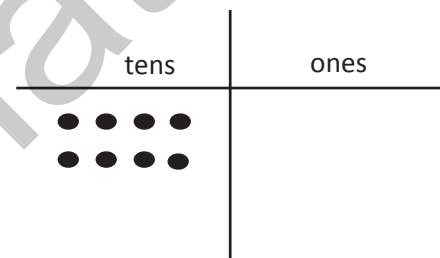
$$4 \times 30 = \underline{\quad\quad}$$

2. Use the chart to complete the blanks in the equations.



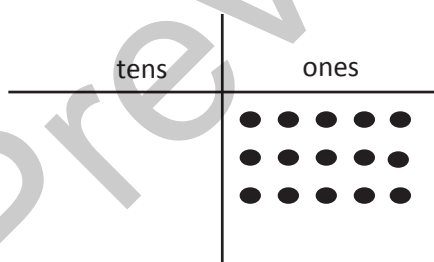
$$a. \quad 2 \times 4 \text{ ones} = \underline{\quad\quad} \text{ ones}$$

$$2 \times 4 = \underline{\quad\quad}$$



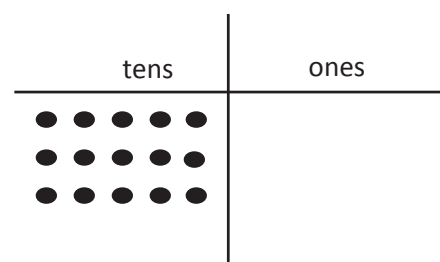
$$b. \quad 2 \times 4 \text{ tens} = \underline{\quad\quad} \text{ tens}$$

$$2 \times 40 = \underline{\quad\quad}$$



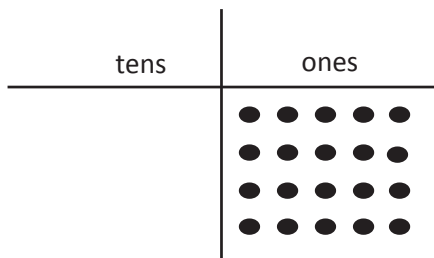
$$c. \quad 3 \times 5 \text{ ones} = \underline{\quad\quad} \text{ ones}$$

$$3 \times 5 = \underline{\quad\quad}$$

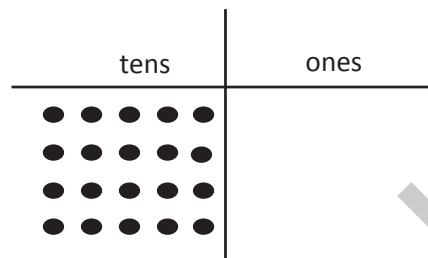


$$d. \quad 3 \times 5 \text{ tens} = \underline{\quad\quad} \text{ tens}$$

$$3 \times 50 = \underline{\quad\quad}$$



e. 4×5 ones = _____ ones
 $4 \times 5 =$ _____



f. 4×5 tens = _____ tens
 $4 \times 50 =$ _____

3. Fill in the blank to make the equation true.

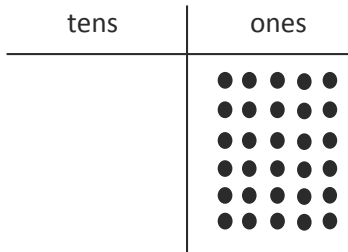
| | |
|--------------------------|---|
| a. _____ = 7×2 | b. _____ tens = $7 \text{ tens} \times 2$ |
| c. _____ = 8×3 | d. _____ tens = $8 \text{ tens} \times 3$ |
| e. _____ = 60×5 | f. _____ = 4×80 |
| g. $7 \times 40 =$ _____ | h. $50 \times 8 =$ _____ |

4. A bus can carry 40 passengers. How many passengers can 6 buses carry? Model with a tape diagram.

Name _____

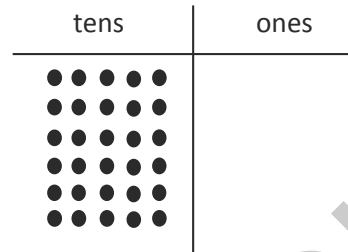
Date _____

1. Use the chart to complete the blanks in the equations.



$$6 \times 5 \text{ ones} = \underline{\quad\quad} \text{ ones}$$

$$6 \times 5 = \underline{\quad\quad}$$

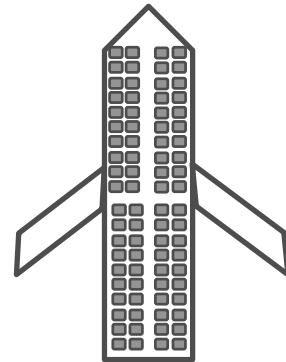


$$6 \times 5 \text{ tens} = \underline{\quad\quad} \text{ tens}$$

$$6 \times 50 = \underline{\quad\quad}$$

2. A small plane has 20 rows of seats. Each row has 4 seats.

- a. Find the total number of seats on the plane.



- b. How many seats are on 3 small planes?

Preview Material

Model 3×4 on a place value chart. Then, explain how the array can help you solve 30×4 .

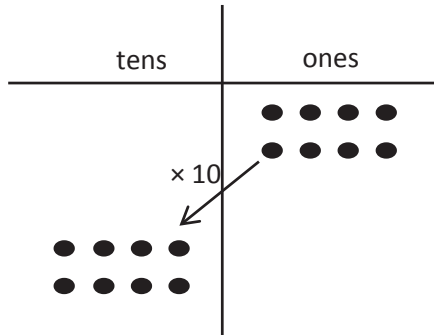
Read**Draw****Write**

Preview Material

Name _____

Date _____

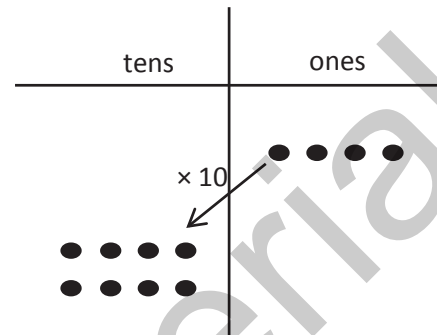
1. Use the chart to complete the equations. Then, solve. The first one has been done for you.



a. $(2 \times 4) \times 10$

$= (8 \text{ ones}) \times 10$

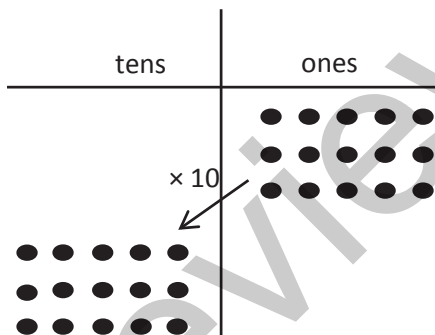
$= \underline{80}$



b. $2 \times (4 \times 10)$

$= 2 \times (4 \text{ tens})$

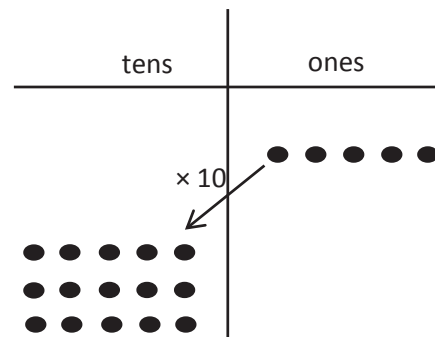
$= \underline{\hspace{2cm}}$



c. $(3 \times 5) \times 10$

$= (\underline{\hspace{1cm}} \text{ ones}) \times 10$

$= \underline{\hspace{2cm}}$



d. $3 \times (5 \times 10)$

$= 3 \times (\underline{\hspace{1cm}} \text{ tens})$

$= \underline{\hspace{2cm}}$

2. Place parentheses in the equations to find the related fact. Then, solve. The first one has been done for you.

$$\begin{aligned}
 2 \times 20 &= 2 \times (2 \times 10) \\
 &= (2 \times 2) \times 10 \\
 &= \underline{4} \times 10 \\
 &= \underline{40}
 \end{aligned}$$

$$\begin{aligned}
 2 \times 30 &= 2 \times (3 \times 10) \\
 &= (2 \times 3) \times 10 \\
 &= \underline{\quad} \times 10 \\
 &= \underline{\quad}
 \end{aligned}$$

$$\begin{aligned}
 3 \times 30 &= 3 \times (3 \times 10) \\
 &= 3 \times 3 \times 10 \\
 &= \underline{\quad} \times 10 \\
 &= \underline{\quad}
 \end{aligned}$$

$$\begin{aligned}
 2 \times 50 &= 2 \times 5 \times 10 \\
 &= 2 \times 5 \times 10 \\
 &= \underline{\quad} \times 10 \\
 &= \underline{\quad}
 \end{aligned}$$

3. Gabriella solves 20×4 by thinking about 10×8 . Explain her strategy.

Name _____

Date _____

1. Place parentheses in the equations to find the related fact. Then, solve.

a. $4 \times 20 = 4 \times 2 \times 10$

$$= 4 \times 2 \times 10$$

$$= \underline{\quad} \times 10$$

$$= \underline{\quad}$$

b. $3 \times 30 = 3 \times 3 \times 10$

$$= 3 \times 3 \times 10$$

$$= \underline{\quad} \times 10$$

$$= \underline{\quad}$$

2. Jamila solves 20×5 by thinking about 10 tens. Explain her strategy.

Preview Material

Name _____

Date _____

Use the RDW process to solve each problem. Use a letter to represent the unknown.

1. There are 60 seconds in 1 minute. Use a tape diagram to find the total number of seconds in 5 minutes and 45 seconds.

2. Lupe saves \$30 each month for 4 months. Does she have enough money to buy the art supplies below? Explain why or why not.



3. Brad receives 5 cents for each can or bottle he recycles. How many cents does Brad earn if he recycles 48 cans and 32 bottles?

4. A box of 10 markers weighs 105 grams. If the empty box weighs 15 grams, how much does each marker weigh?
5. Mr. Perez buys 3 sets of cards. Each set comes with 18 striped cards and 12 polka dot cards. He uses 49 cards. How many cards does he have left?
6. Ezra earns \$9 an hour working at a book store. She works for 7 hours each day on Mondays and Wednesdays. How much does Ezra earn each week?

Name _____

Date _____

Use the RDW process to solve. Use a letter to represent the unknown.

Frederick buys a can of 3 tennis balls. The empty can weighs 20 grams, and each tennis ball weighs 60 grams. What is the total weight of the can with 3 tennis balls?

Preview Material

Preview Material

Grade 3

Module 4

Preview Material

Preview Material

Eric makes a shape with 8 trapezoid pattern blocks. Brock makes the same shape using triangle pattern blocks. It takes 3 triangles to make 1 trapezoid. How many triangle pattern blocks does Brock use?

Preview Material

Read**Draw****Write**

Preview Material

Name _____

Date _____

1. Use triangle pattern blocks to cover each shape below. Draw lines to show where the triangles meet. Then, write how many triangle pattern blocks it takes to cover each shape.



Shape A: _____ triangles

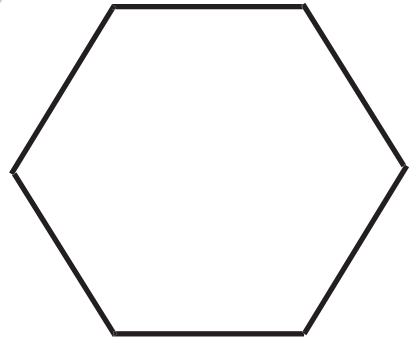


Shape B: _____ triangles

2. Use rhombus pattern blocks to cover each shape below. Draw lines to show where the rhombuses meet. Then, write how many rhombus pattern blocks it takes to cover each shape.



Shape A: _____ rhombuses

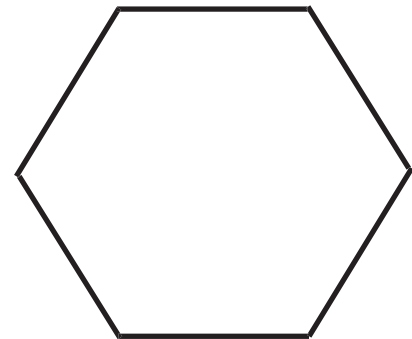


Shape B: _____ rhombuses

3. Use trapezoid pattern blocks to cover each shape below. Draw lines to show where the trapezoids meet. Then, write how many trapezoid pattern blocks it requires to cover each shape.



Shape A: _____ trapezoids



Shape B: _____ trapezoids

4. How is the number of pattern blocks needed to cover the same shape related to the size of the pattern blocks?

5. Use square pattern blocks to cover the rectangle below. Draw lines to show where the squares meet. Then, write how many square pattern blocks it requires to cover the rectangle.



_____ squares

6. Use trapezoid pattern blocks to cover the rectangle in Problem 5. Can you use trapezoid pattern blocks to measure the area of this rectangle? Explain your answer.

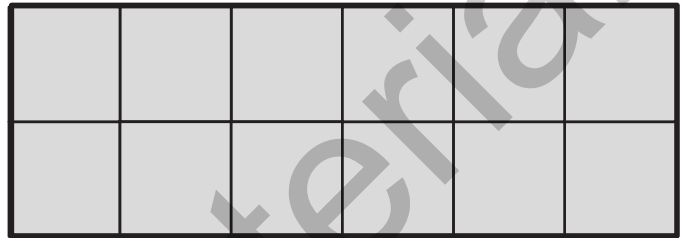
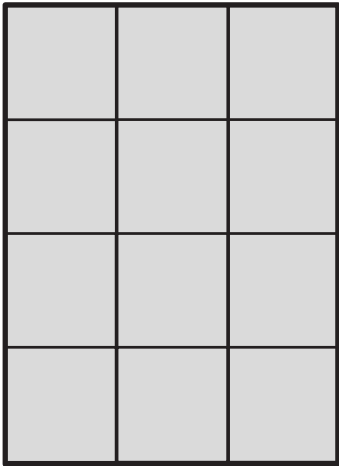
Name _____

Date _____

Each



is 1 square unit. Do both rectangles have the same area? Explain how you know.



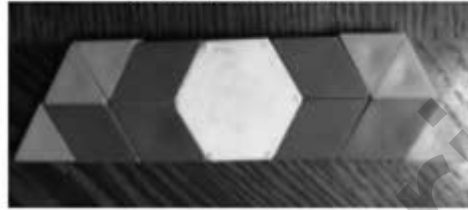
Preview Material

Wilma and Freddie use pattern blocks to make shapes as shown. Freddie says his shape has a bigger area than Wilma's because it is longer than hers. Is he right? Explain your answer.

Wilma's Shape



Freddie's Shape



Read**Draw****Write**

Preview Material

Name _____

Date _____

1. Use all of Paper Strip 1, which you cut into 12 square inches, to complete the chart below.

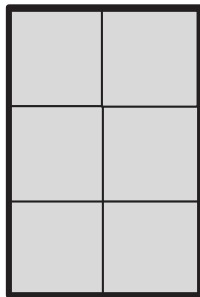
| | Drawing | Area |
|-------------|---------|------|
| Rectangle A | | |
| Rectangle B | | |
| Rectangle C | | |

2. Use all of Paper Strip 2, which you cut into 12 square centimeters, to complete the chart below.

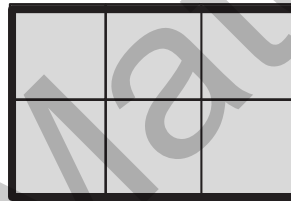
| | Drawing | Area |
|-------------|---------|------|
| Rectangle A | | |
| Rectangle B | | |
| Rectangle C | | |

3. Compare the areas of the rectangles you made with Paper Strip 1 and Paper Strip 2. What changed? Why did it change?

4. Maggie uses square units to create these two rectangles. Do the two rectangles have the same area? How do you know?



Shape A




Shape B

5. Count to find the area of the rectangle below. Then, draw a different rectangle that has the same area.



Name _____

Date _____

1. Each  is a square unit. Find the area of the rectangle below. Then, draw a different rectangle with the same number of square units.



2. Zach creates a rectangle with an area of 6 square inches. Luke makes a rectangle with an area of 6 square centimeters. Do the two rectangles have the same area? Why or why not?

Preview Material

Jace uses paper squares to create a rectangle. Clary cuts all of Jace's squares in half to create triangles. She uses all the triangles to make a rectangle. There are 16 triangles in Clary's rectangle. How many squares were in Jace's shape?

Preview Material

Read


Draw

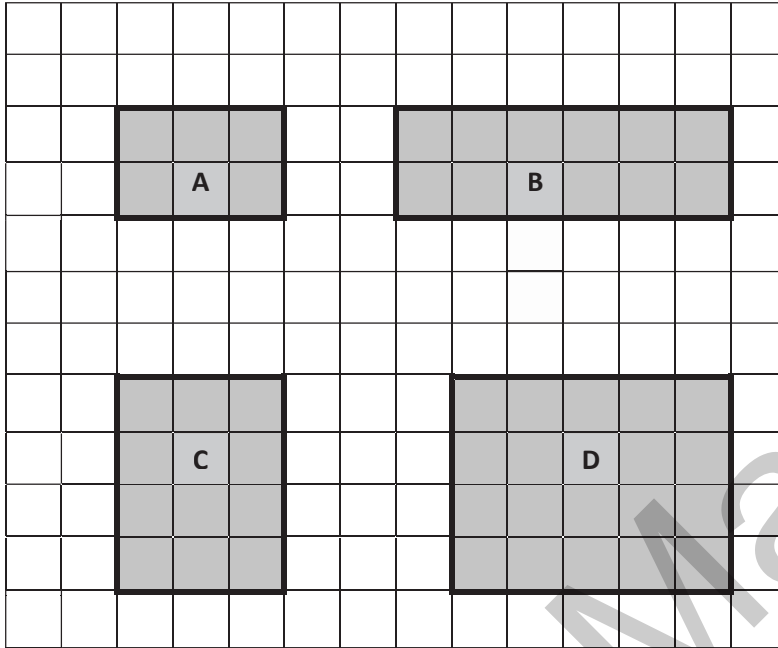
Write

Preview Material

Name _____

Date _____

1. Each  is 1 square unit. What is the area of each of the following rectangles?



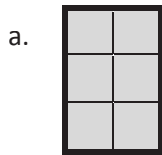
A: _____ square units

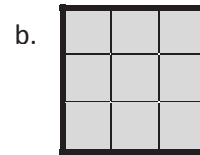
B: _____

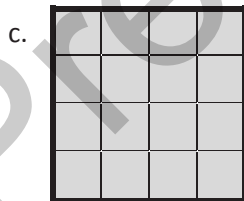
C: _____

D: _____

2. Each  is 1 square unit. What is the area of each of the following rectangles?







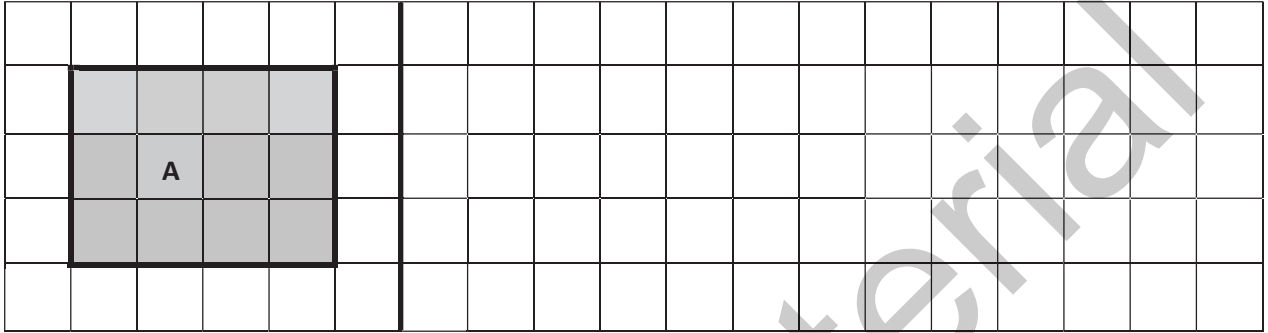


3. a. How would the rectangles in Problem 1 be different if they were composed of square inches?
- b. Select one rectangle from Problem 1 and recreate it on square inch and square centimeter grid paper.
4. Use a separate piece of square centimeter grid paper. Draw four different rectangles that each has an area of 8 square centimeters.

Name _____

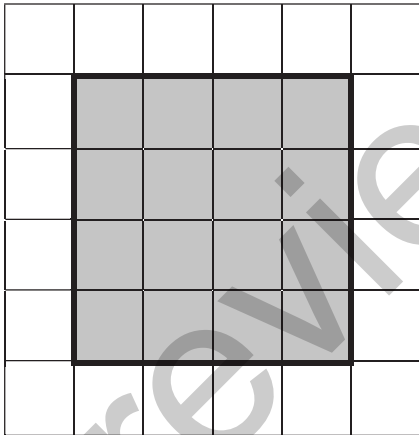
Date _____

1. Each is 1 square unit. Write the area of Rectangle A. Then, draw a different rectangle with the same area in the space provided.

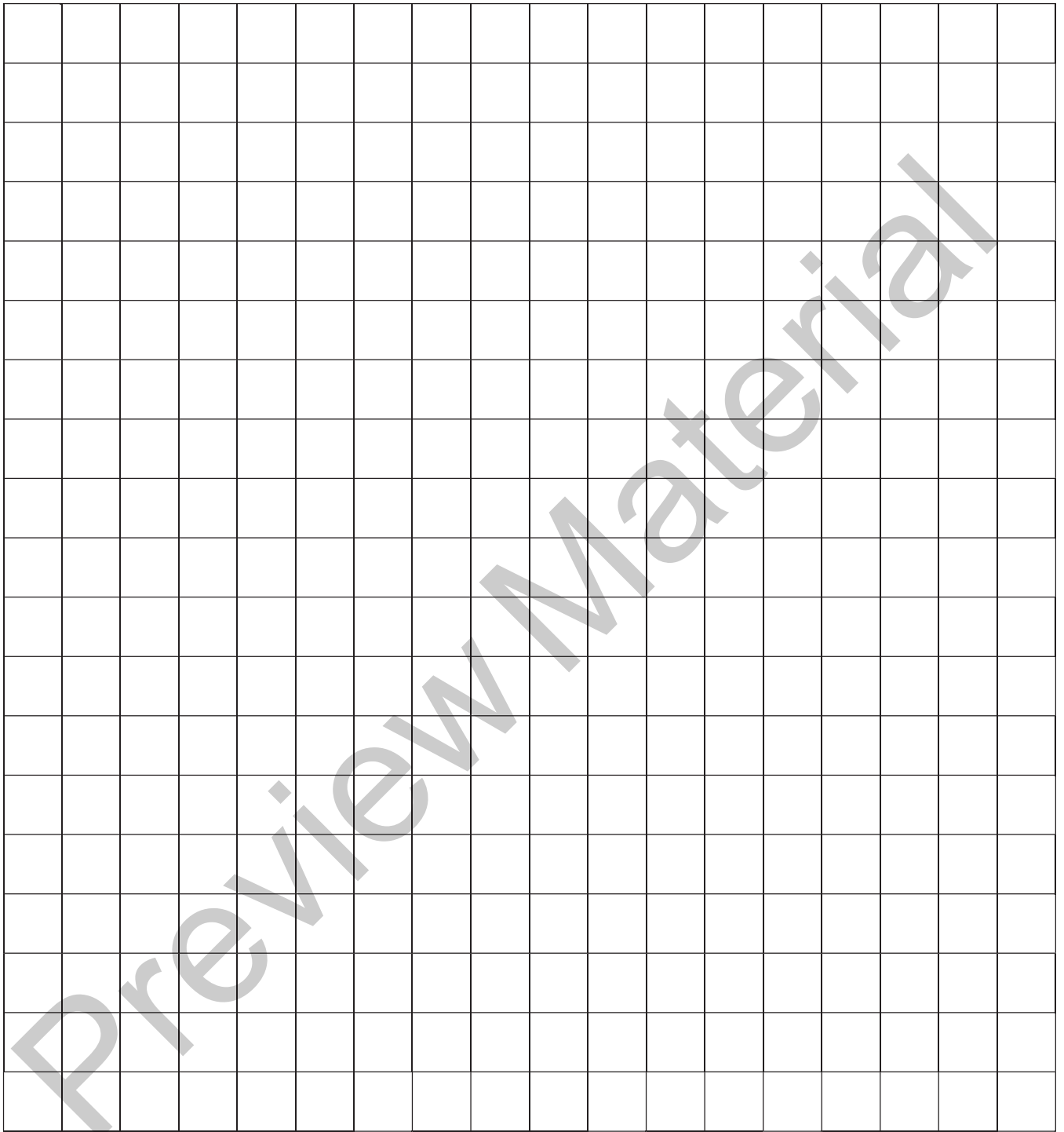


Area = _____

2. Each is 1 square unit. Does this rectangle have the same area as Rectangle A? Explain.

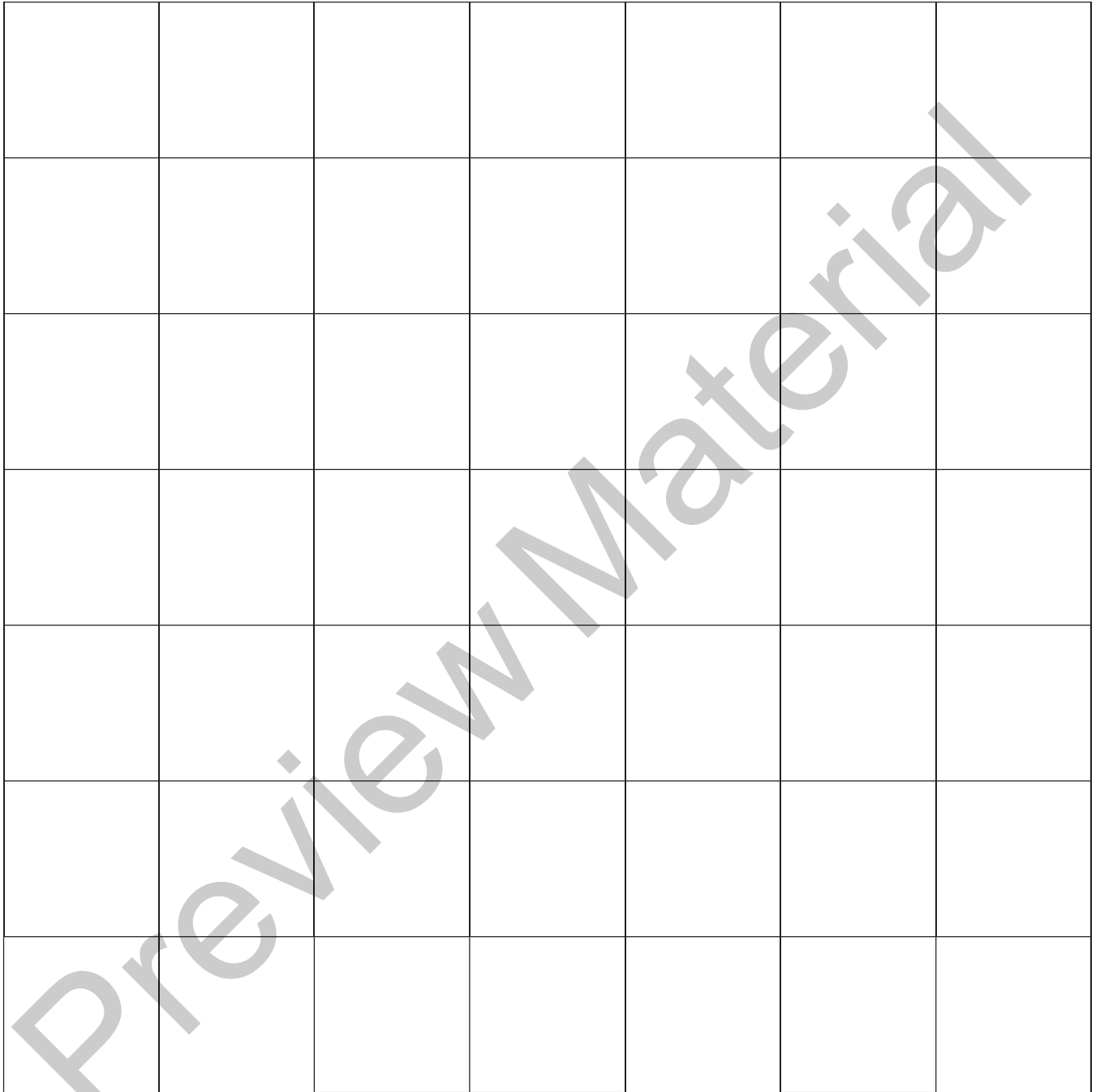


Preview Material



centimeter grid

Preview Material



inch grid

Preview Material

Mara uses 15 square-centimeter tiles to make a rectangle. Ashton uses 9 square-centimeter tiles to make a rectangle.

a. Draw what Mara and Ashton's rectangles might look like.

b. Whose rectangle has a bigger area? How do you know?

Preview Material

Read

Draw

Write

Preview Material

Name _____

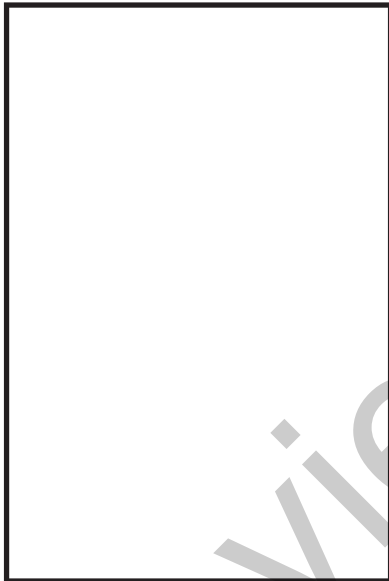
Date _____

1. Use a ruler to measure the side lengths of the rectangle in centimeters. Mark each centimeter with a point and connect the points to show the square units. Then, count the squares you drew to find the total area.



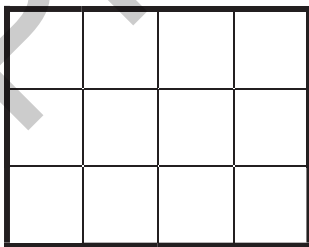
Total area: _____

2. Use a ruler to measure the side lengths of the rectangle in inches. Mark each inch with a point and connect the points to show the square units. Then, count the squares you drew to find the total area.




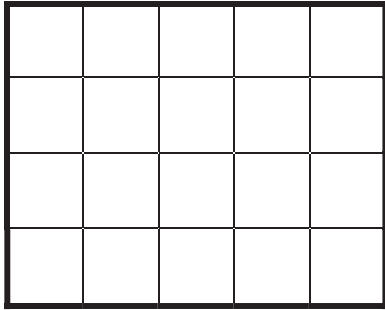
Total area: _____

3. Mariana uses square centimeter tiles to find the side lengths of the rectangle below. Label each side length. Then, count the tiles to find the total area.



Total area: _____

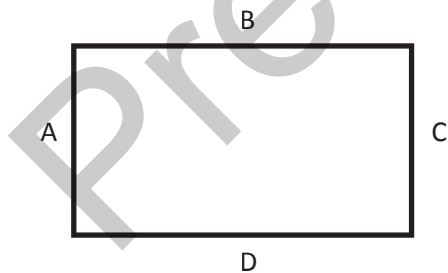
4. Each  is 1 square centimeter. Saffron says that the side length of the rectangle below is 4 centimeters. Kevin says the side length is 5 centimeters. Who is correct? Explain how you know.



5. Use both square centimeter and square inch tiles to find the area of the rectangle below. Which works best? Explain why.



6. How does knowing side lengths A and B help you find side lengths C and D on the rectangle below?

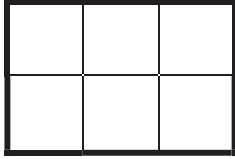


Name _____

Date _____

Label the side lengths of each rectangle. Then, match the rectangle to its total area.

a.

12 square
centimeters

b.

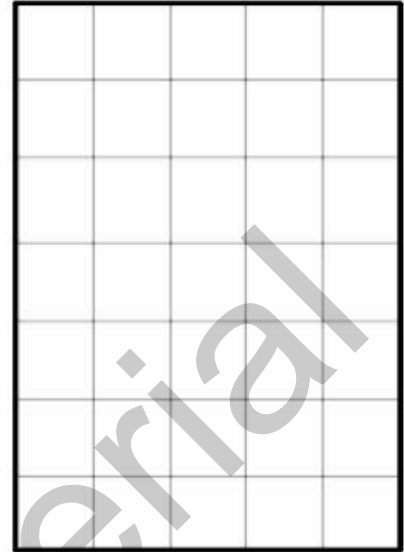
5 square
inches

c.

6 square
centimeters

Preview Material

Candice uses square centimeter tiles to find the side lengths of a rectangle as shown on the right. She says the side lengths are 5 centimeters and 7 centimeters. Her partner, Luis, uses a ruler to check Candice's work and says that the side lengths are 5 centimeters and 6 centimeters. Who is right? How do you know?



Read**Draw****Write**

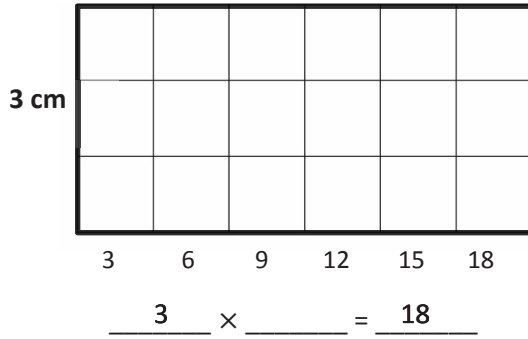
Preview Material

Name _____

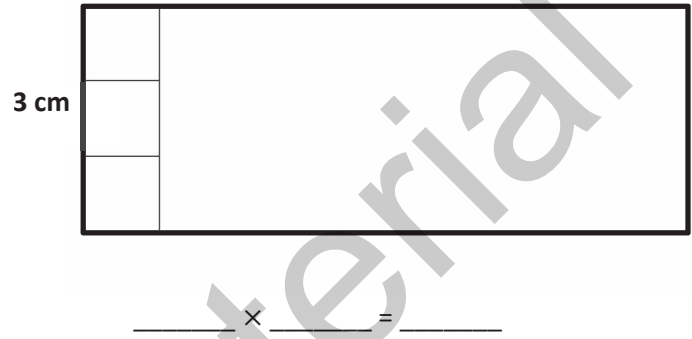
Date _____

1. Use the centimeter side of a ruler to draw in the tiles. Find the unknown side length or skip-count to find the unknown area. Then, complete the multiplication equations.

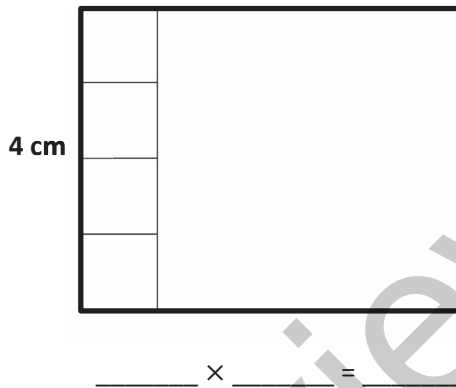
a. Area: **18** square centimeters.



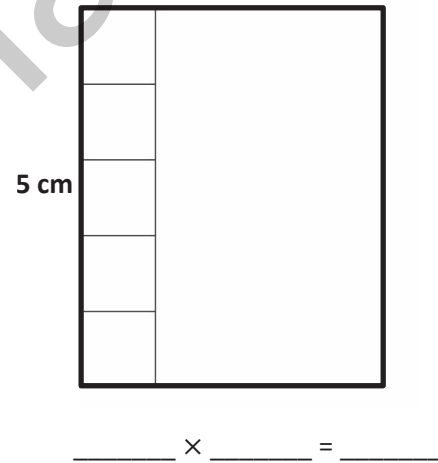
d. Area: **24** square centimeters.



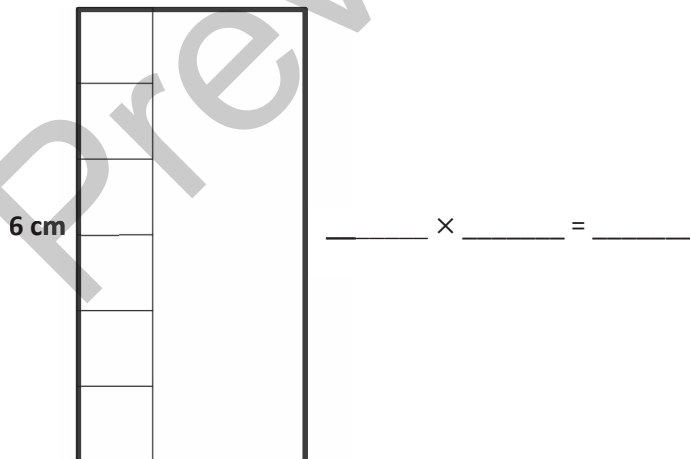
b. Area: _____ square centimeters.
5 cm



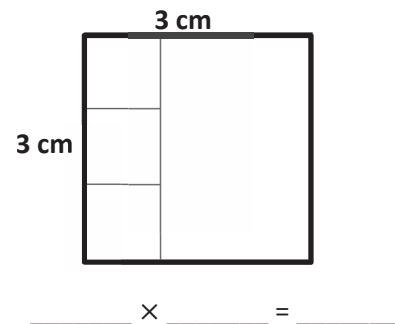
e. Area: **20** square centimeters.



c. Area: **18** square centimeters.



f. Area: _____ square centimeters.



2. Lindsey makes a rectangle with 35 square inch tiles. She arranges the tiles in 5 equal rows. What are the side lengths of the rectangle? Use words, pictures, and numbers to support your answer.
3. Mark has a total of 24 square inch tiles. He uses 18 square inch tiles to build one rectangular array. He uses the remaining square inch tiles to build a second rectangular array. Draw two arrays that Mark might have made. Then, write multiplication sentences for each.
4. Leon makes a rectangle with 32 square centimeter tiles. There are 4 equal rows of tiles.
- How many tiles are in each row? Use words, pictures, and numbers to support your answer.
 - Can Leon arrange all of his 32 square centimeter tiles into 6 equal rows? Explain your answer.

Name _____

Date _____

Darren has a total of 28 square centimeter tiles. He arranges them into 7 equal rows. Draw Darren's rectangle. Label the side lengths, and write a multiplication sentence to find the total area.

Preview Material

Preview Material

Huma has 4 bags of square inch tiles with 6 tiles in each bag. She uses them to measure the area of a rectangle on her homework. After covering the rectangle, Huma has 4 tiles left. What is the area of the rectangle?


Preview Material

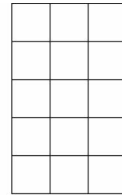
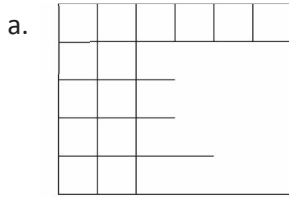
Read**Draw****Write**

Preview Material

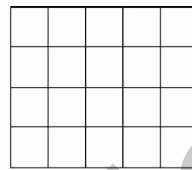
Name _____

Date _____

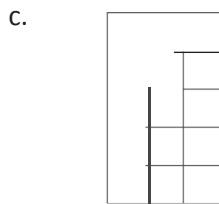
1. Each  represents 1 square centimeter. Draw to find the number of rows and columns in each array. Match it to its completed array. Then, fill in the blanks to make a true equation to find each array's area.



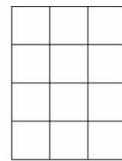
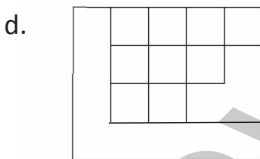
_____ cm × _____ cm = _____ sq cm



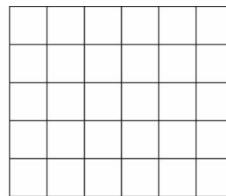
_____ cm × _____ cm = _____ sq cm



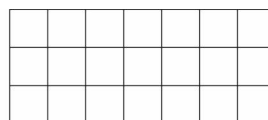
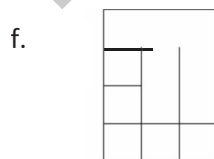
_____ cm × _____ cm = _____ sq cm



_____ cm × _____ cm = _____ sq cm

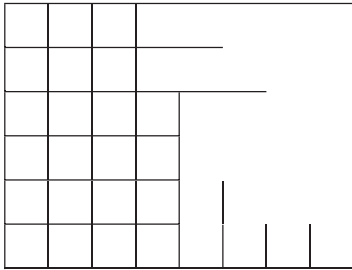


_____ cm × _____ cm = _____ sq cm

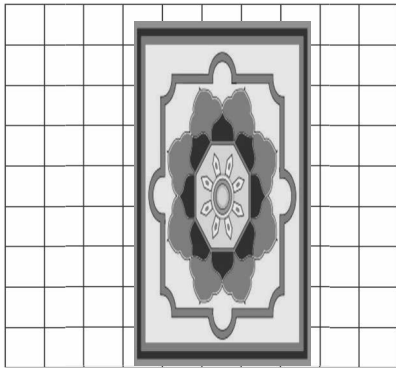


_____ cm × _____ cm = _____ sq cm

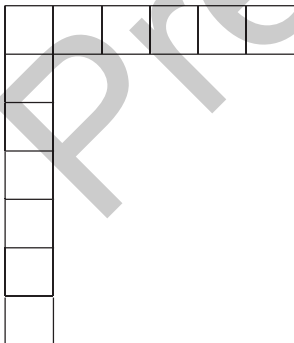
2. Sheena skip-counts by sixes to find the total square units in the rectangle below. She says there are 42 square units. Is she right? Explain your answer.



3. The tile floor in Brandon's living room has a rug on it as shown below. How many square tiles are on the floor, including the tiles under the rug?



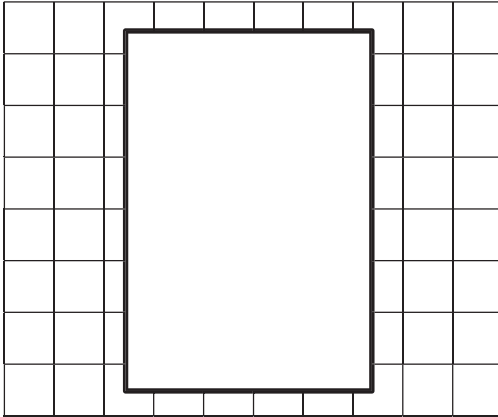
4. Abdul is creating a stained glass window with square inch glass tiles as shown below. How many more square inch glass tiles does Abdul need to finish his glass window? Explain your answer.



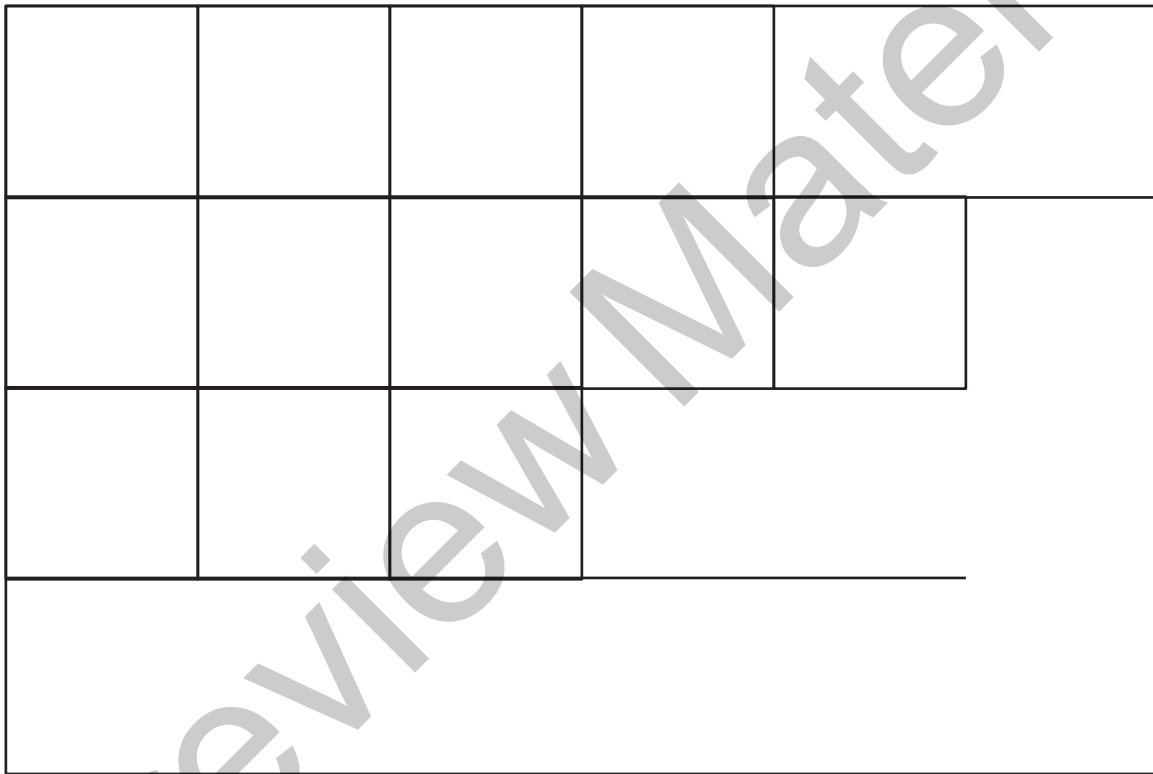
Name _____

Date _____

The tiled floor in Cayden's dining room has a rug on it as shown below. How many square tiles are on the floor, including the tiles under the rug?

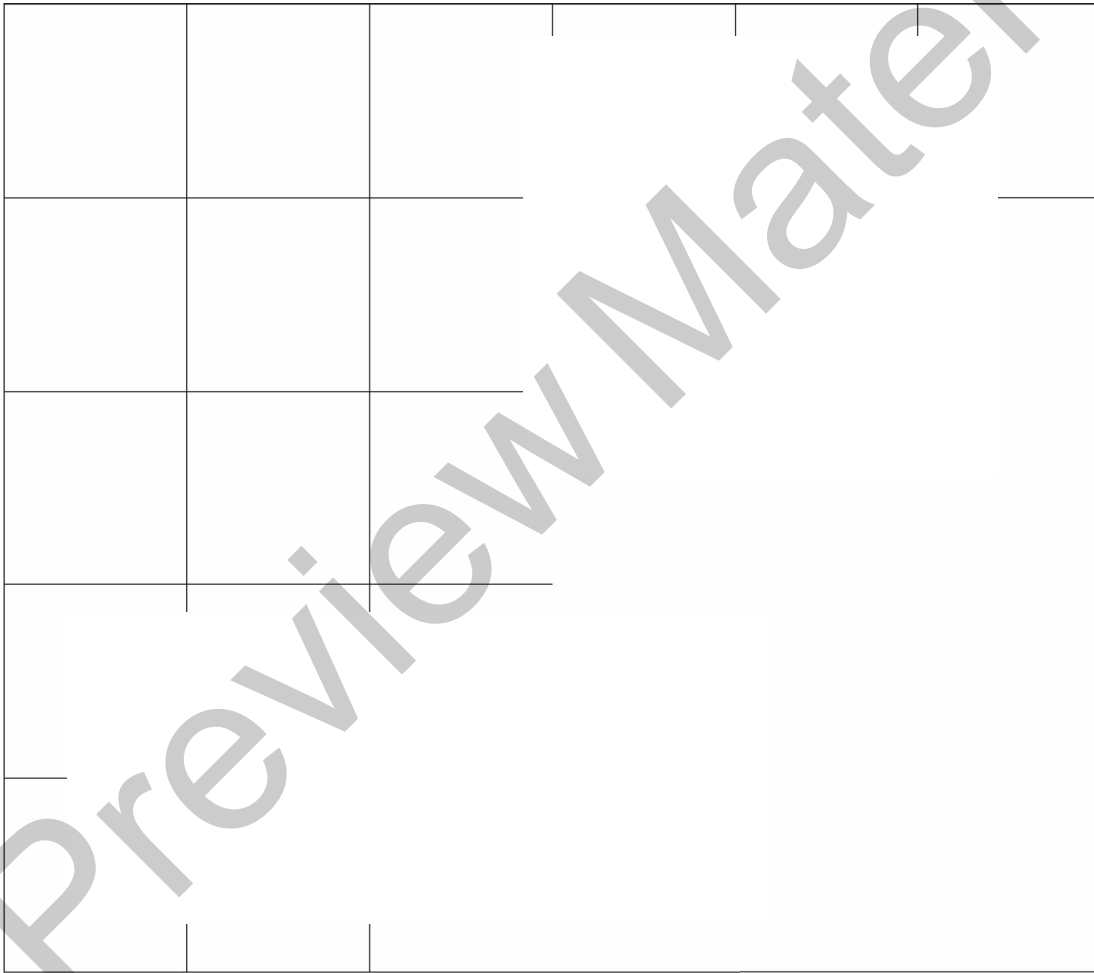


Preview Material



array 1

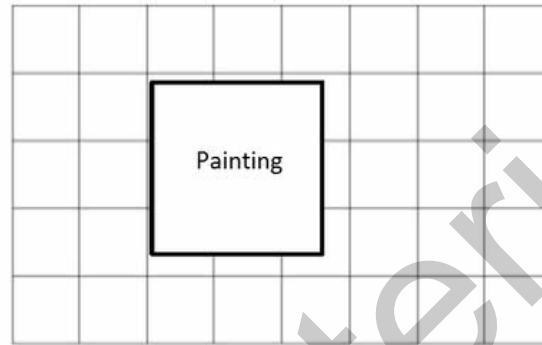
Preview Material



array 2

Preview Material

Lori wants to replace the square tiles on her wall. The square tiles are sold in boxes of 8 square tiles. Lori buys 6 boxes of tiles. Does she have enough to replace all of the tiles, including the tiles under the painting? Explain your answer.



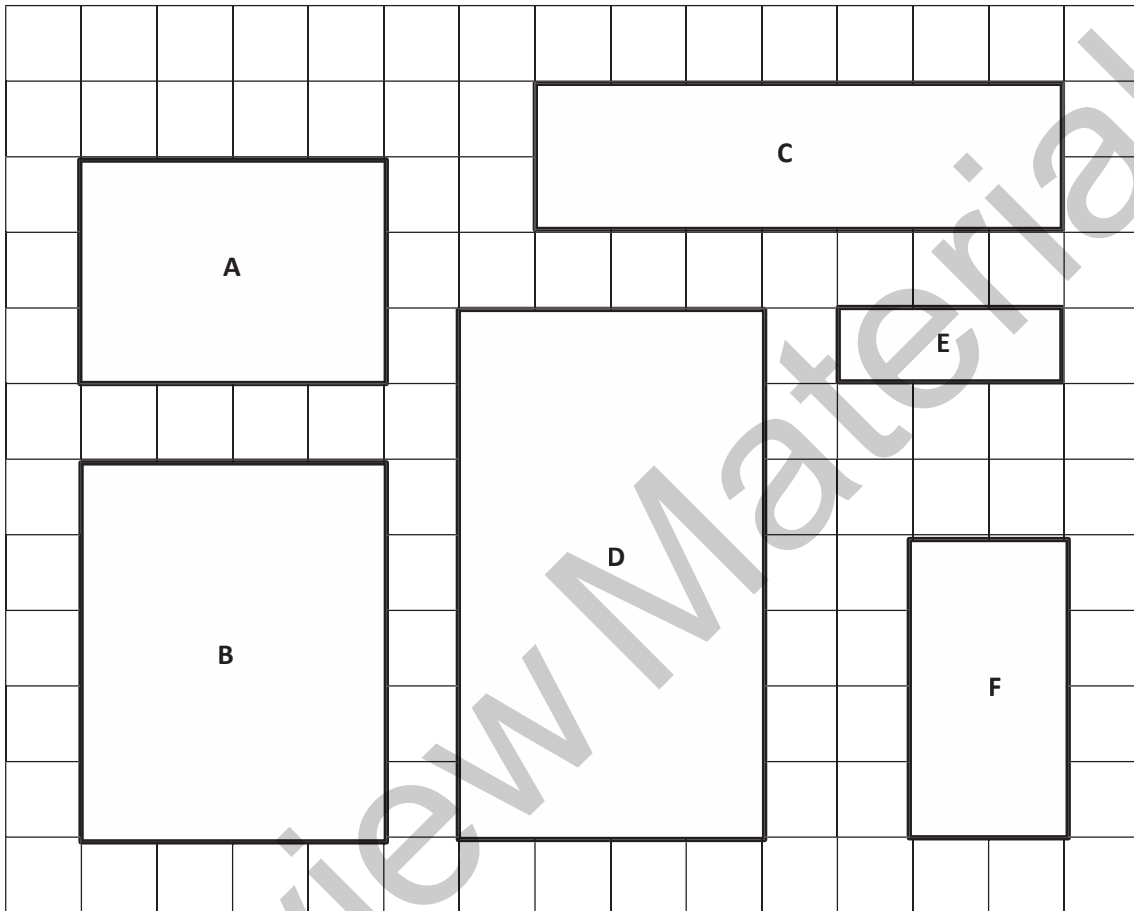
Read**Draw****Write**

Preview Material

Name _____

Date _____

1. Use a straight edge to draw a grid of equal size squares within the rectangle. Find and label the side lengths. Then, multiply the side lengths to find the area.



a. Area A:

$$\underline{\quad} \text{ units} \times \underline{\quad} \text{ units} = \underline{\quad} \text{ square units}$$

b. Area B:

$$\underline{\quad} \text{ units} \times \underline{\quad} \text{ units} = \underline{\quad} \text{ square units}$$

c. Area C:

$$\underline{\quad} \text{ units} \times \underline{\quad} \text{ units} = \underline{\quad} \text{ square units}$$

d. Area D:

$$\underline{\quad} \text{ units} \times \underline{\quad} \text{ units} = \underline{\quad} \text{ square units}$$

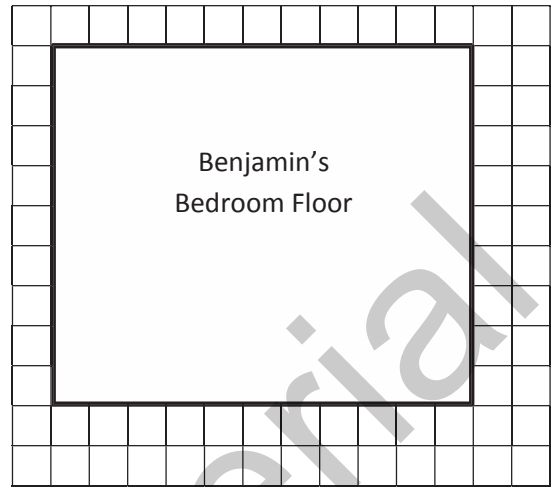
e. Area E:

$$\underline{\quad} \text{ unit} \times \underline{\quad} \text{ units} = \underline{\quad} \text{ square units}$$

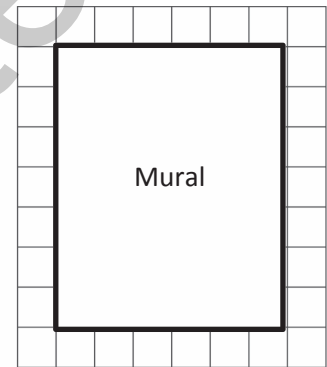
f. Area F:

$$\underline{\quad} \text{ units} \times \underline{\quad} \text{ units} = \underline{\quad} \text{ square units}$$

2. The area of Benjamin's bedroom floor is shown on the grid to the right. Each \square represents 1 square foot. How many total square feet is Benjamin's floor?
- Label the side lengths.
 - Use a straight edge to draw a grid of equal size squares within the rectangle.
 - Find the total number of squares.



3. Mrs. Young's art class needs to create a mural that covers exactly 35 square feet. Mrs. Young marks the area for the mural as shown on the grid. Each \square represents 1 square foot. Did she mark the area correctly? Explain your answer.

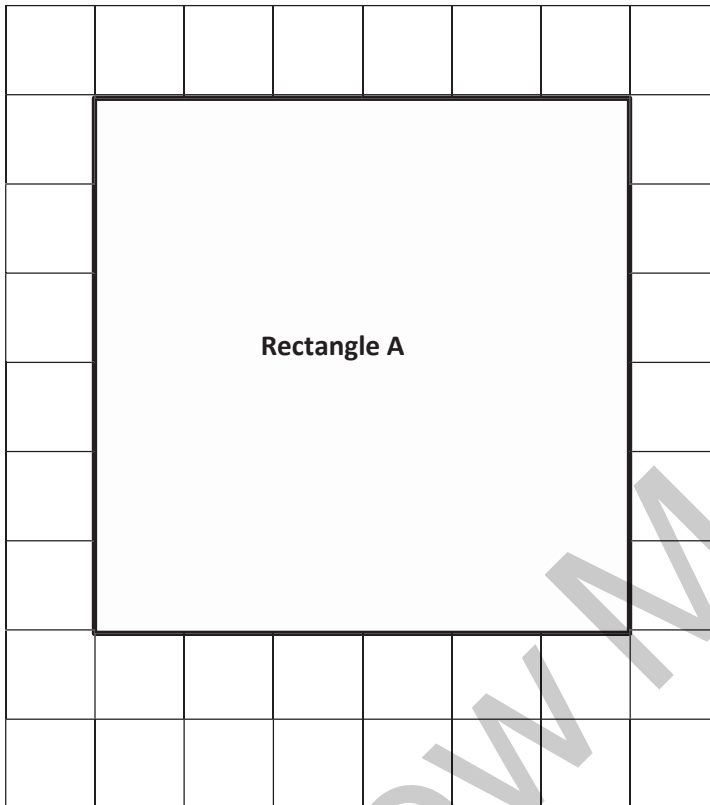


4. Mrs. Barnes draws a rectangular array. Mila skip-counts by fours and Jorge skip-counts by sixes to find the total number of square units in the array. When they give their answers, Mrs. Barnes says that they are both right.
- Use pictures, numbers, and words to explain how Mila and Jorge can both be right.
 - How many square units might Mrs. Barnes' array have had?

Name _____

Date _____

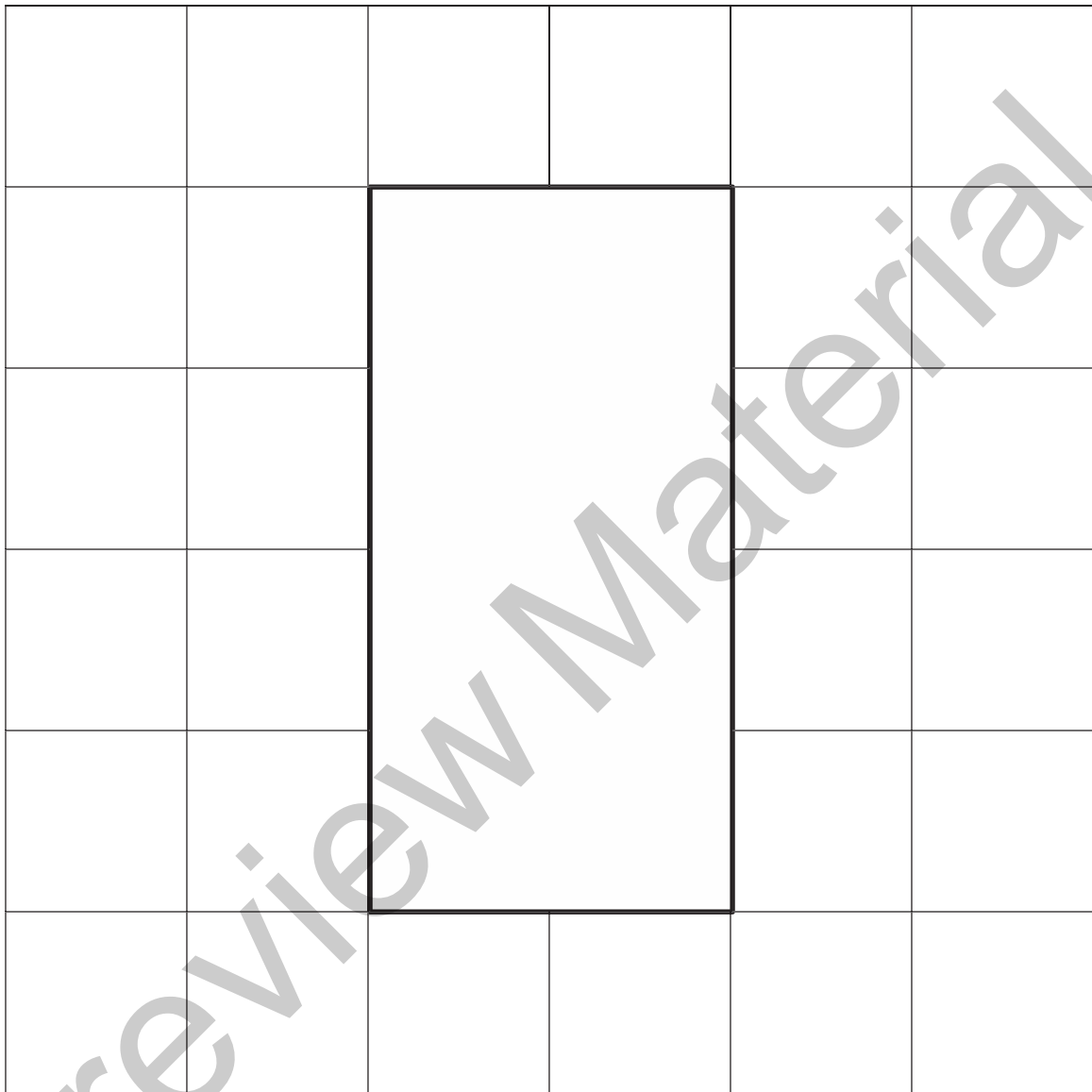
1. Label the side lengths of Rectangle A on the grid below. Use a straight edge to draw a grid of equal size squares within Rectangle A. Find the total area of Rectangle A.



Area: _____ square units

2. Mark makes a rectangle with 36 square centimeter tiles. Gia makes a rectangle with 36 square inch tiles. Whose rectangle has a bigger area? Explain your answer.

Preview Material



area model

Preview Material

Marnie and Connor both skip-count square units to find the area of the same rectangle. Marnie counts, “3, 6, 9, 12, 15, 18, 21.” Connor counts, “7, 14, 21.” Draw what the rectangle might look like, and then label the side lengths and find the area.

Preview Material

Read

Draw

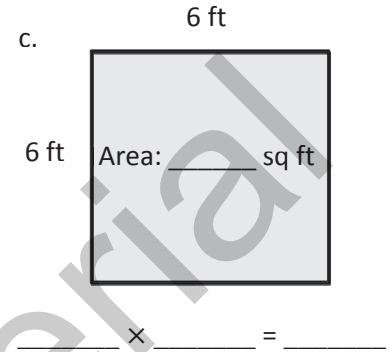
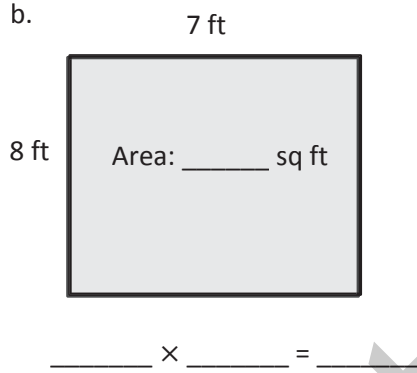
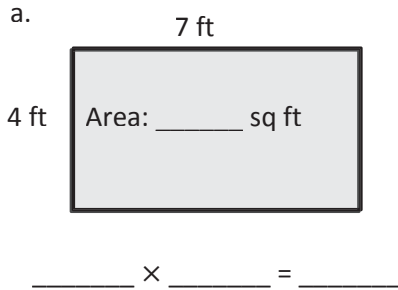
Write

Preview Material

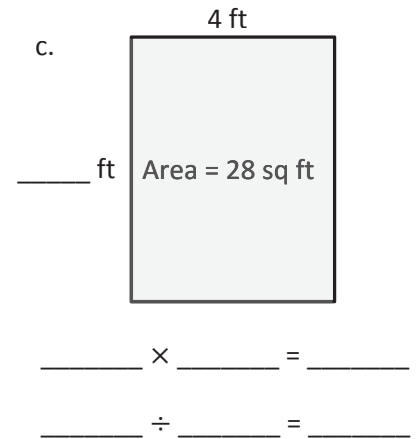
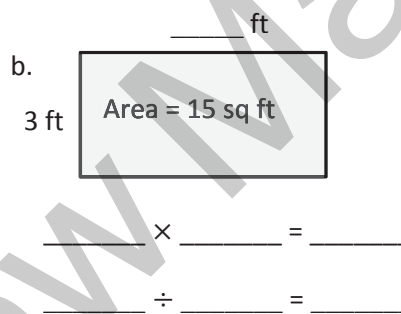
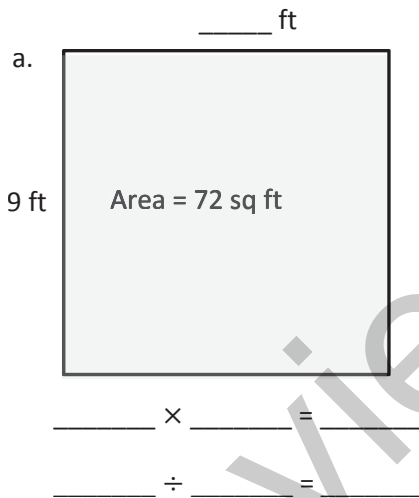
Name _____

Date _____

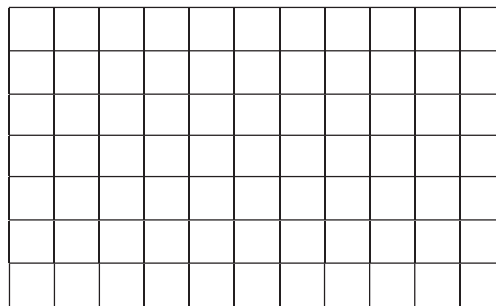
1. Write a multiplication equation to find the area of each rectangle.



2. Write a multiplication equation and a division equation to find the unknown side length for each rectangle.



3. On the grid below, draw a rectangle that has an area of 42 square units. Label the side lengths.

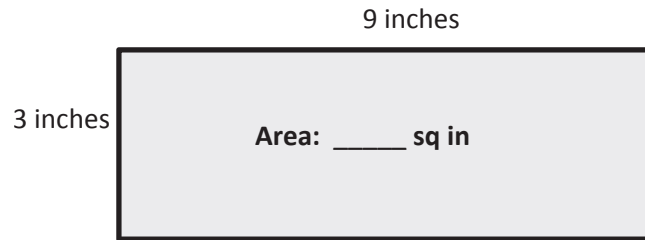


4. Ursa draws a rectangle that has side lengths of 9 centimeters and 6 centimeters. What is the area of the rectangle? Explain how you found your answer.
5. Eliza's bedroom measures 6 feet by 7 feet. Her brother's bedroom measures 5 feet by 8 feet. Eliza says their rooms have the same exact floor area. Is she right? Why or why not?
6. Cliff draws a rectangle with a side length of 6 inches and an area of 24 square inches. What is the other side length? How do you know?

Name _____

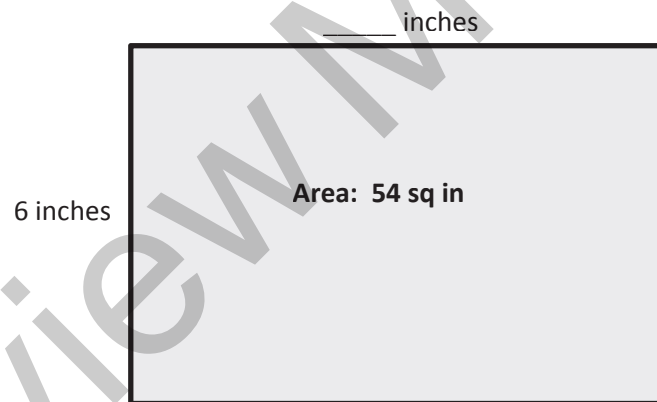
Date _____

1. Write a multiplication equation to find the area of the rectangle below.



$$\underline{\quad} \times \underline{\quad} = \underline{\quad}$$

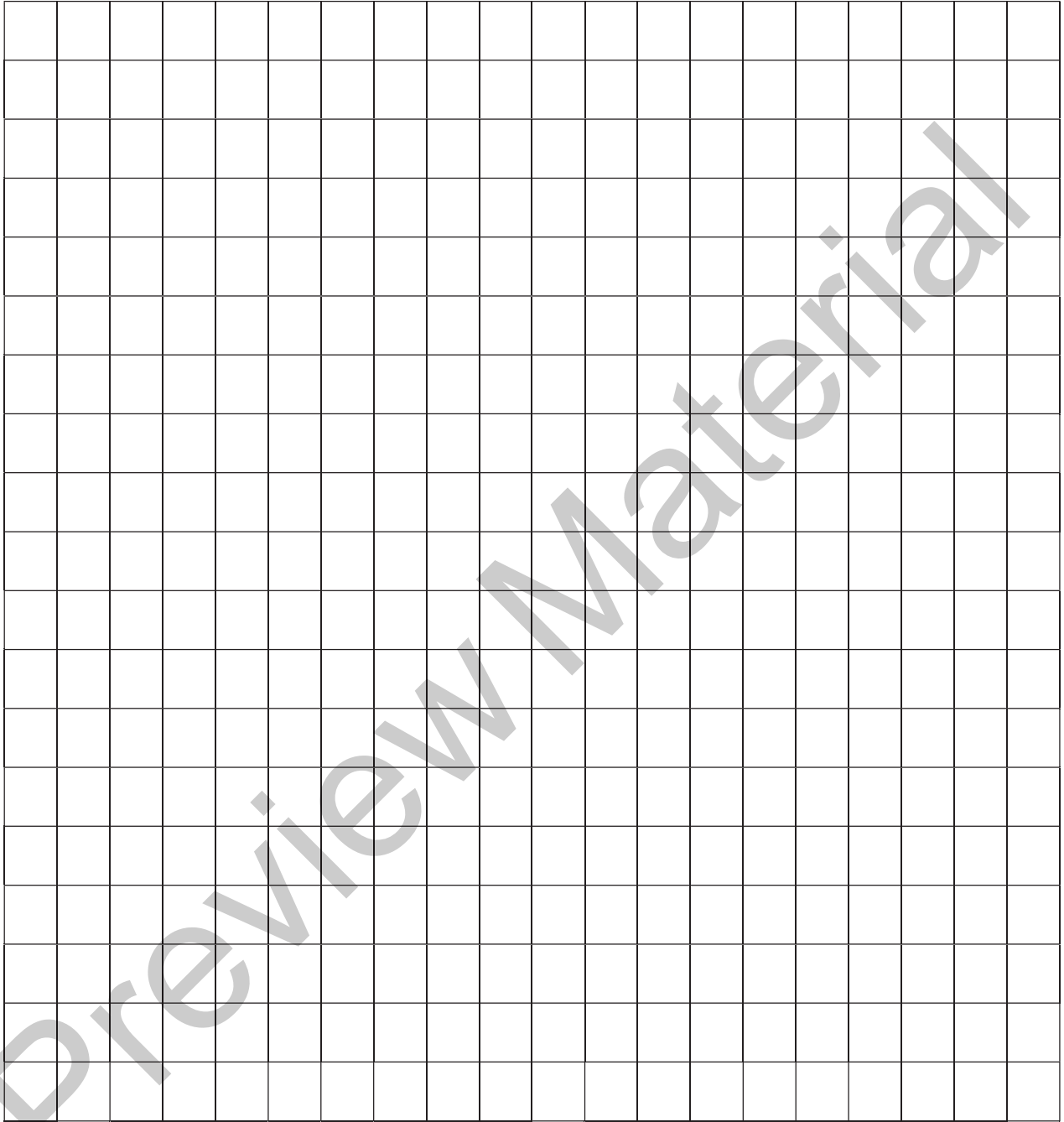
2. Write a multiplication equation and a division equation to find the unknown side length for the rectangle below.



$$\underline{\quad} \times \underline{\quad} = \underline{\quad}$$

$$\underline{\quad} \div \underline{\quad} = \underline{\quad}$$

Preview Material



grid

Preview Material

Mario plans to completely cover his 8-inch by 6-inch piece of cardboard with square inch tiles. He has 42 square inch tiles. How many more square inch tiles does Mario need to cover the cardboard without any gaps or overlap? Explain your answer.

Preview Material

Read**Draw****Write**

Preview Material

Name _____

Date _____

1. Cut the grid into 2 equal rectangles.
 - a. Draw and label the side lengths of the 2 rectangles.

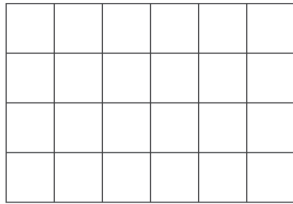
 - b. Write an equation to find the area of 1 of the rectangles.

 - c. Write an equation to show the total area of the 2 rectangles.

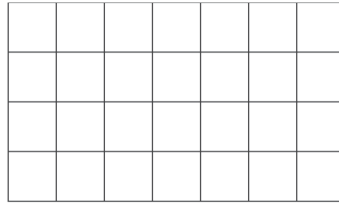
2. Place your 2 equal rectangles side by side to create a new, longer rectangle.
 - a. Draw an area model to show the new rectangle. Label the side lengths.

 - b. Find the total area of the longer rectangle.

3. Furaha and Rahema use square tiles to make the rectangles shown below.

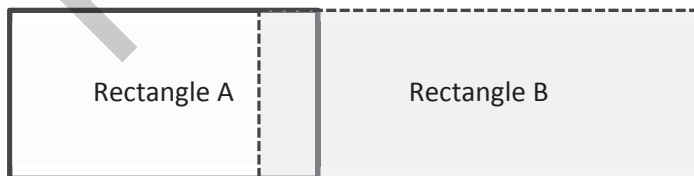


Furaha's Rectangle



Rahema's Rectangle

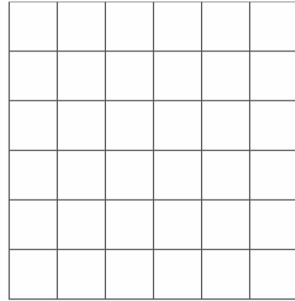
- a. Label the side lengths on the rectangles above, and find the area of each rectangle.
- b. Furaha pushes his rectangle next to Rahema's rectangle to form a new, longer rectangle. Draw an area model to show the new rectangle. Label the side lengths.
- c. Rahema says the area of the new, longer rectangle is 52 square units. Is she right? Explain your answer.
4. Kiera says she can find the area of the long rectangle below by adding the areas of Rectangles A and B. Is she right? Why or why not?



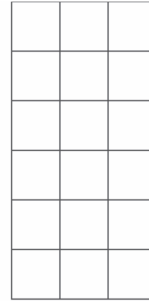
Name _____

Date _____

Lamar uses square tiles to make the 2 rectangles shown below.



Rectangle A



Rectangle B

1. Label the side lengths of the 2 rectangles.
2. Write equations to find the areas of the rectangles.

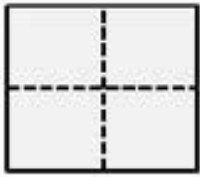
Area of Rectangle A: _____

Area of Rectangle B: _____

3. Lamar pushes Rectangle A next to Rectangle B to make a bigger rectangle. What is the area of the bigger rectangle? How do you know?

Preview Material

Sonya folds a 6-inch by 6-inch piece of paper into 4 equal parts (shown below). What is the area of 1 of the parts?



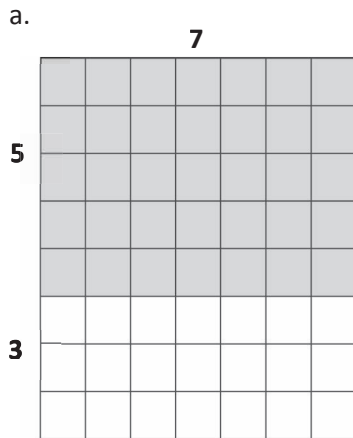
Read**Draw****Write**

Preview Material

Name _____

Date _____

1. Label the side lengths of the shaded and unshaded rectangles when needed. Then, find the total area of the large rectangle by adding the areas of the two smaller rectangles.



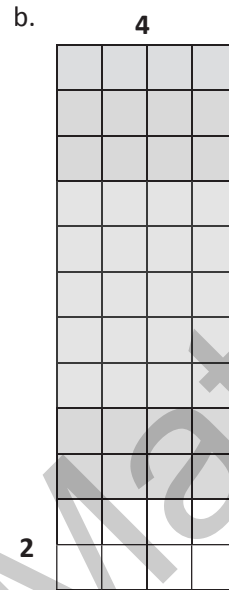
$$8 \times 7 = (5 + 3) \times 7$$

$$= (5 \times 7) + (3 \times 7)$$

$$= \underline{\quad} + \underline{\quad}$$

$$= \underline{\quad}$$

Area: _____ square units



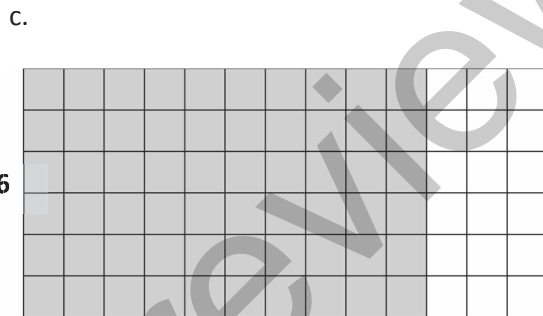
$$12 \times 4 = (\underline{\quad} + 2) \times 4$$

$$= (\underline{\quad} \times 4) + (2 \times 4)$$

$$= \underline{\quad} + 8$$

$$= \underline{\quad}$$

Area: _____ square units



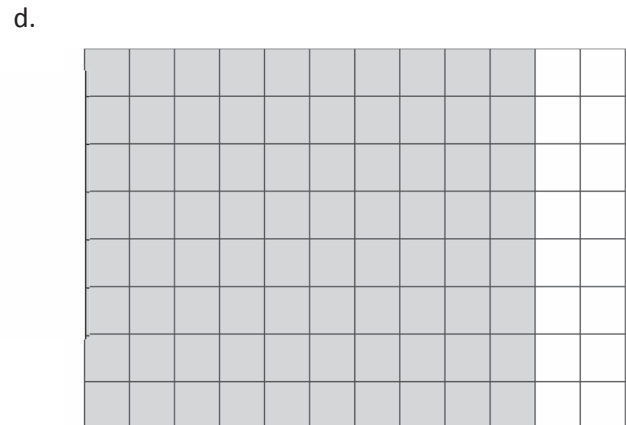
$$6 \times 13 = 6 \times (\underline{\quad} + 3)$$

$$= (6 \times \underline{\quad}) + (6 \times 3)$$

$$= \underline{\quad} + \underline{\quad}$$

$$= \underline{\quad}$$

Area: _____ square units



$$8 \times 12 = 8 \times (\underline{\quad} + \underline{\quad})$$

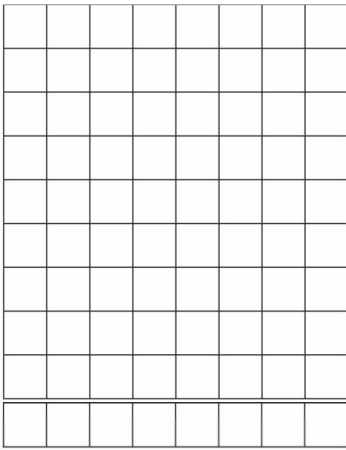
$$= (8 \times \underline{\quad}) + (8 \times \underline{\quad})$$

$$= \underline{\quad} + \underline{\quad}$$

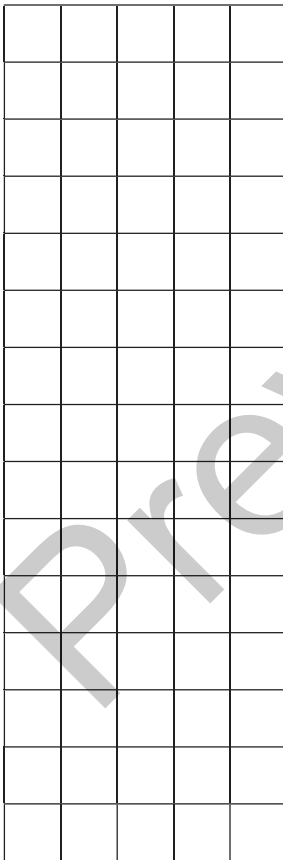
$$= \underline{\quad}$$

Area: _____ square units

2. Vince imagines 1 more row of eight to find the total area of a 9×8 rectangle. Explain how this could help him solve 9×8 .



3. Break the 15×5 rectangle into 2 rectangles by shading one smaller rectangle within it. Then, find the sum of the areas of the 2 smaller rectangles and show how it relates to the total area. Explain your thinking.

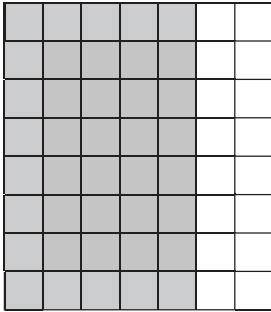


Name _____

Date _____

Label the side lengths of the shaded and unshaded rectangles. Then, find the total area of the large rectangle by adding the areas of the 2 smaller rectangles.

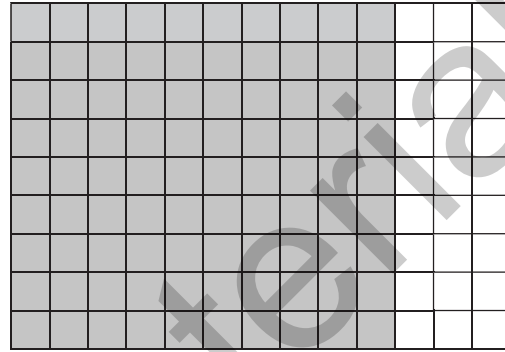
1.



$$\begin{aligned}
 8 \times 7 &= 8 \times (\underline{\quad} + \underline{\quad}) \\
 &= (8 \times \underline{\quad}) + (8 \times \underline{\quad}) \\
 &= \underline{\quad} + \underline{\quad} \\
 &= \underline{\quad}
 \end{aligned}$$

Area: _____ square units

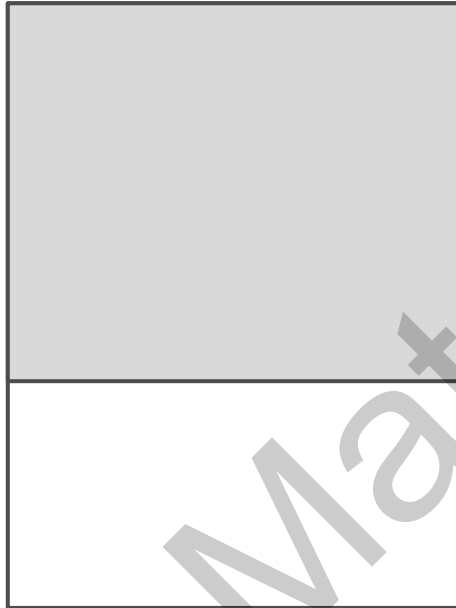
2.



$$\begin{aligned}
 9 \times 13 &= 9 \times (\underline{\quad} + \underline{\quad}) \\
 &= (\underline{\quad} \times \underline{\quad}) + (\underline{\quad} \times \underline{\quad}) \\
 &= \underline{\quad} + \underline{\quad} \\
 &= \underline{\quad}
 \end{aligned}$$

Area: _____ square units

Preview Material



tiling

Preview Material

The banquet table in a restaurant measures 3 feet by 6 feet. For a large party, workers at the restaurant place 2 banquet tables side by side to create 1 long table. Find the area of the new, longer table.

Preview Material

Read

Draw

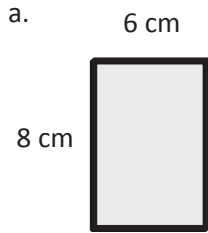
Write

Preview Material

Name _____

Date _____

1. The rectangles below have the same area. Move the parentheses to find the unknown side lengths. Then, solve.



Area: $8 \times \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$
 Area: $\underline{\hspace{1cm}}$ sq cm



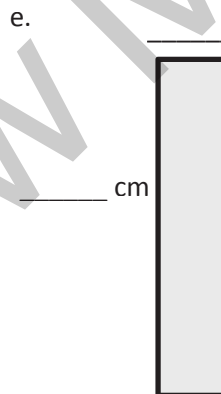
Area: $1 \times 48 = \underline{\hspace{1cm}}$
 Area: $\underline{\hspace{1cm}}$ sq cm



Area: $8 \times 6 = (4 \times 2) \times 6$
 $= 4 \times 2 \times 6$
 $= \underline{\hspace{1cm}} \times \underline{\hspace{1cm}}$
 $= \underline{\hspace{1cm}}$
 Area: $\underline{\hspace{1cm}}$ sq cm



Area: $8 \times 6 = (2 \times 4) \times 6$
 $= 2 \times 4 \times 6$
 $= \underline{\hspace{1cm}} \times \underline{\hspace{1cm}}$
 $= \underline{\hspace{1cm}}$
 Area: $\underline{\hspace{1cm}}$ sq cm

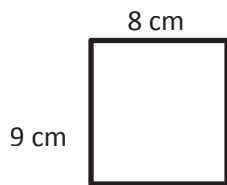


Area: $8 \times 6 = 8 \times (2 \times 3)$
 $= 8 \times 2 \times 3$
 $= \underline{\hspace{1cm}} \times \underline{\hspace{1cm}}$
 $= \underline{\hspace{1cm}}$
 Area: $\underline{\hspace{1cm}}$ sq cm

2. Does Problem 1 show all the possible whole number side lengths for a rectangle with an area of 48 square centimeters? How do you know?

3. In Problem 1, what happens to the shape of the rectangle as the difference between the side lengths gets smaller?

4. a. Find the area of the rectangle below.



- b. Julius says a 4 cm by 18 cm rectangle has the same area as the rectangle in Part (a). Place parentheses in the equation to find the related fact and solve. Is Julius correct? Why or why not?

$$\begin{aligned}
 4 \times 18 &= 4 \times 2 \times 9 \\
 &= 4 \times 2 \times 9 \\
 &= \underline{\quad} \times \underline{\quad} \\
 &= \underline{\quad}
 \end{aligned}$$

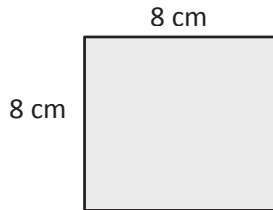
Area: $\underline{\quad}$ sq cm

- c. Use the expression 8×9 to find different side lengths for a rectangle that has the same area as the rectangle in Part (a). Show your equations using parentheses. Then, estimate to draw the rectangle and label the side lengths.

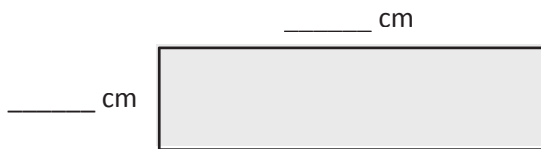
Name _____

Date _____

1. Find the area of the rectangle.



2. The rectangle below has the same area as the rectangle in Problem 1. Move the parentheses to find the unknown side lengths. Then, solve.



$$\begin{aligned} \text{Area: } 8 \times 8 &= (4 \times 2) \times 8 \\ &= 4 \times 2 \times 8 \\ &= \underline{\quad} \times \underline{\quad} \\ &= \underline{\quad} \\ \text{Area: } &\underline{\quad} \text{ sq cm} \end{aligned}$$

Preview Material

a. Find the area of a 6 meter by 9 meter rectangle.

b. Use the side lengths, $6\text{ m} \times 9\text{ m}$, to find different side lengths for a rectangle that has the same area. Show your equations using parentheses. Then estimate to draw the rectangle and label the side lengths.

Preview Material

Read

Draw

Write

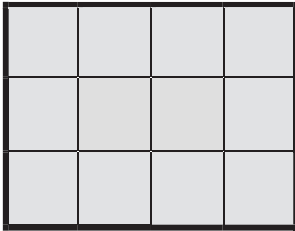
Preview Material

Name _____

Date _____

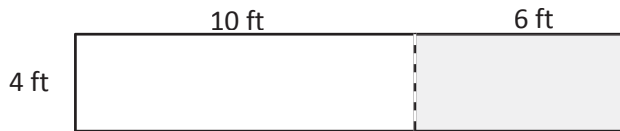
1. Each side on a sticky note measures 9 centimeters. What is the area of the sticky note?

2. Stacy tiles the rectangle below using her square pattern blocks.

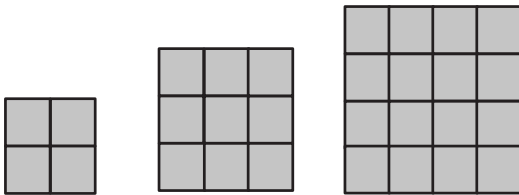


- a. Find the area of Stacy's rectangle in square units. Then, draw and label a different rectangle with whole number side lengths that has the same area.
- b. Can you draw another rectangle with different whole number side lengths and have the same area? Explain how you know.

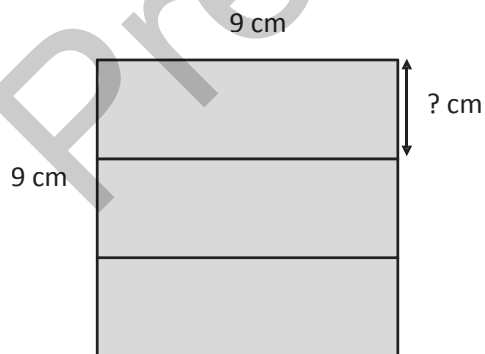
3. An artist paints a 4 foot \times 16 foot mural on a wall. What is the total area of the mural? Use the break apart and distribute strategy.



4. Alana tiles the 3 figures below. She says, "I'm making a pattern!"



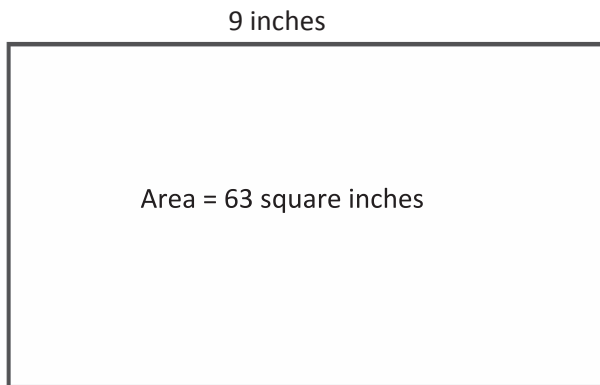
- a. Find the area of Alana's 3 figures and explain her pattern.
- b. Draw the next 2 figures in Alana's pattern and find their areas.
5. Jermaine glues 3 identical pieces of paper as shown below and makes a square. Find the unknown side length of 1 piece of paper. Then, find the total area of 2 pieces of paper.



Name _____

Date _____

1. A painting has an area of 63 square inches. One side length is 9 inches. What is the other side length?



2. Judy's mini dollhouse has one floor and measures 4 inches by 16 inches. What is the total area of the dollhouse floor?

Preview Material

Anil finds the area of a 5-inch by 17-inch rectangle by breaking it into 2 smaller rectangles. Show one way that he could have solved the problem. What is the area of the rectangle?

Preview Material

Read

Draw

Write

Preview Material

Name _____

Date _____

1. Each of the following figures is made up of 2 rectangles. Find the total area of each figure.

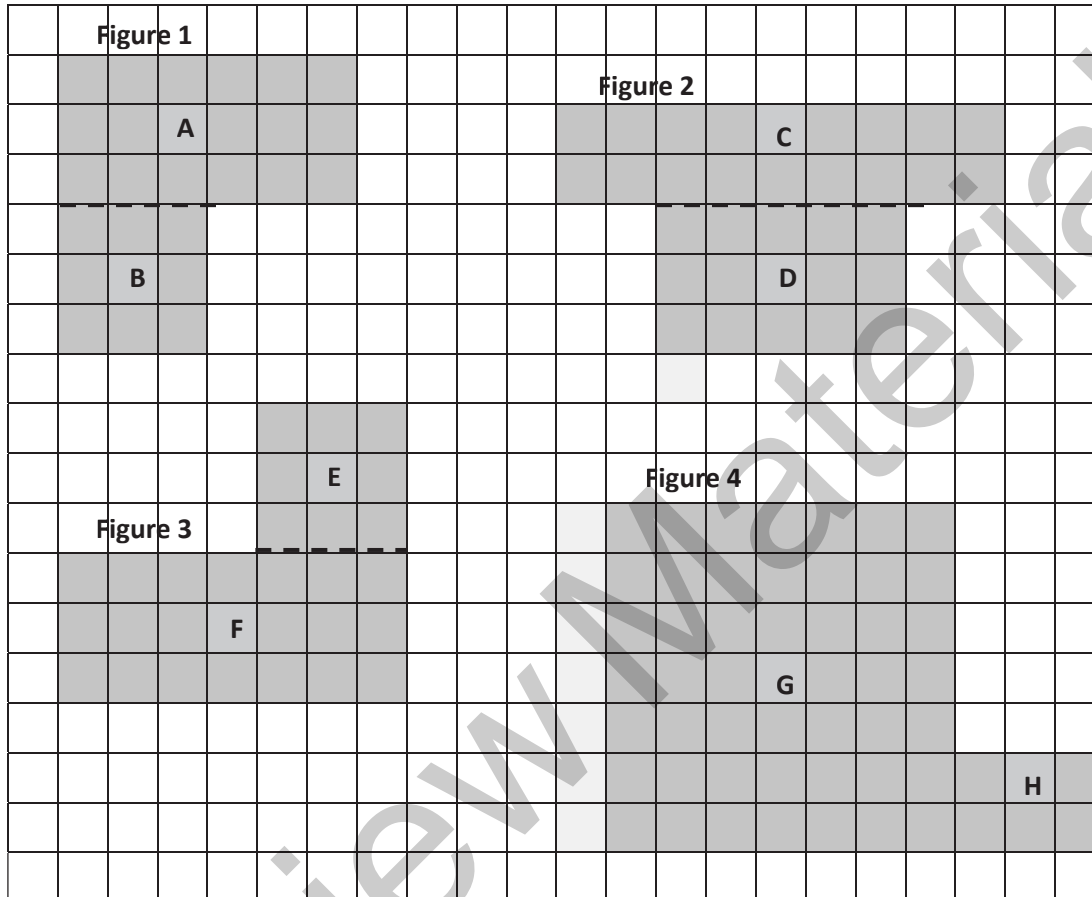


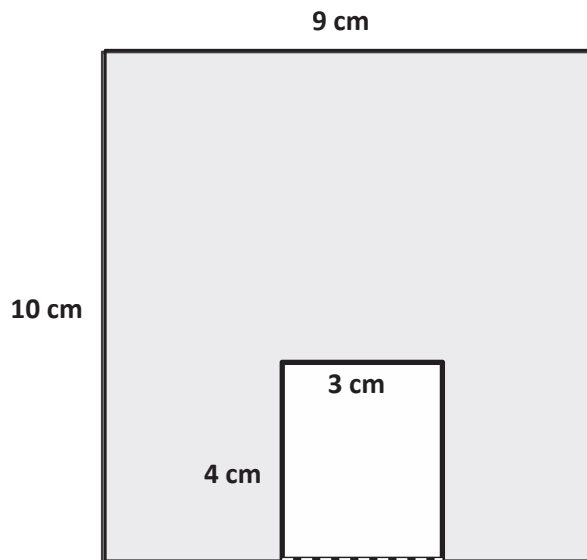
Figure 1: Area of A + Area of B: **18** sq units + _____ sq units = _____ sq units

Figure 2: Area of C + Area of D: _____ sq units + _____ sq units = _____ sq units

Figure 3: Area of E + Area of F: _____ sq units + _____ sq units = _____ sq units

Figure 4: Area of G + Area of H: _____ sq units + _____ sq units = _____ sq units

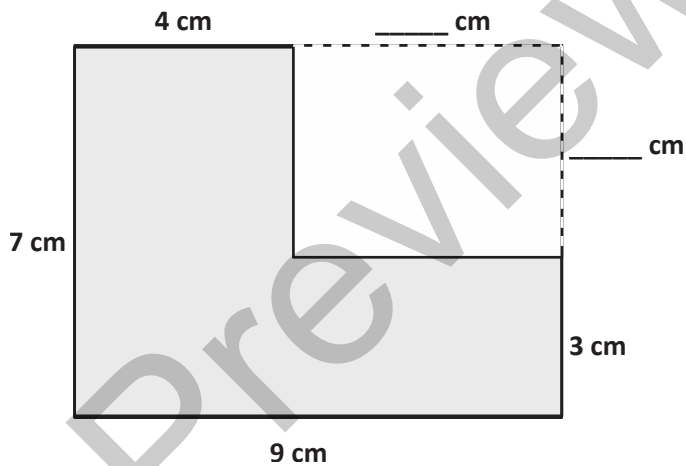
2. The figure shows a small rectangle cut out of a bigger rectangle. Find the area of the shaded figure.



Area of the shaded figure: _____ - _____ = _____

Area of the shaded figure: _____ square centimeters

3. The figure shows a small rectangle cut out of a big rectangle.



- a. Label the unknown measurements.

- b. Area of the big rectangle:

$$\underline{\quad} \text{ cm} \times \underline{\quad} \text{ cm} = \underline{\quad} \text{ sq cm}$$

- c. Area of the small rectangle:

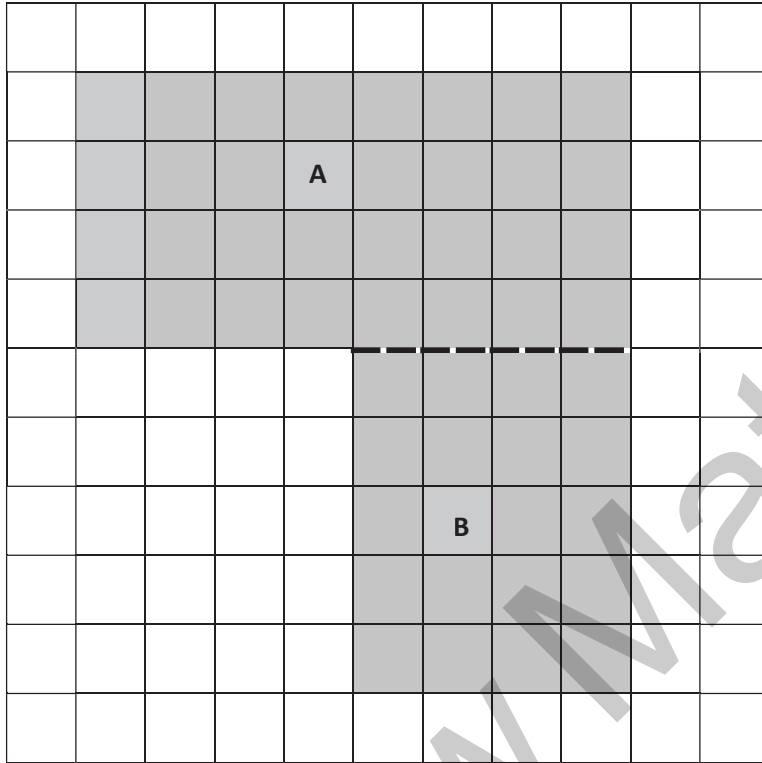
$$\underline{\quad} \text{ cm} \times \underline{\quad} \text{ cm} = \underline{\quad} \text{ sq cm}$$

- d. Find the area of the shaded figure.

Name _____

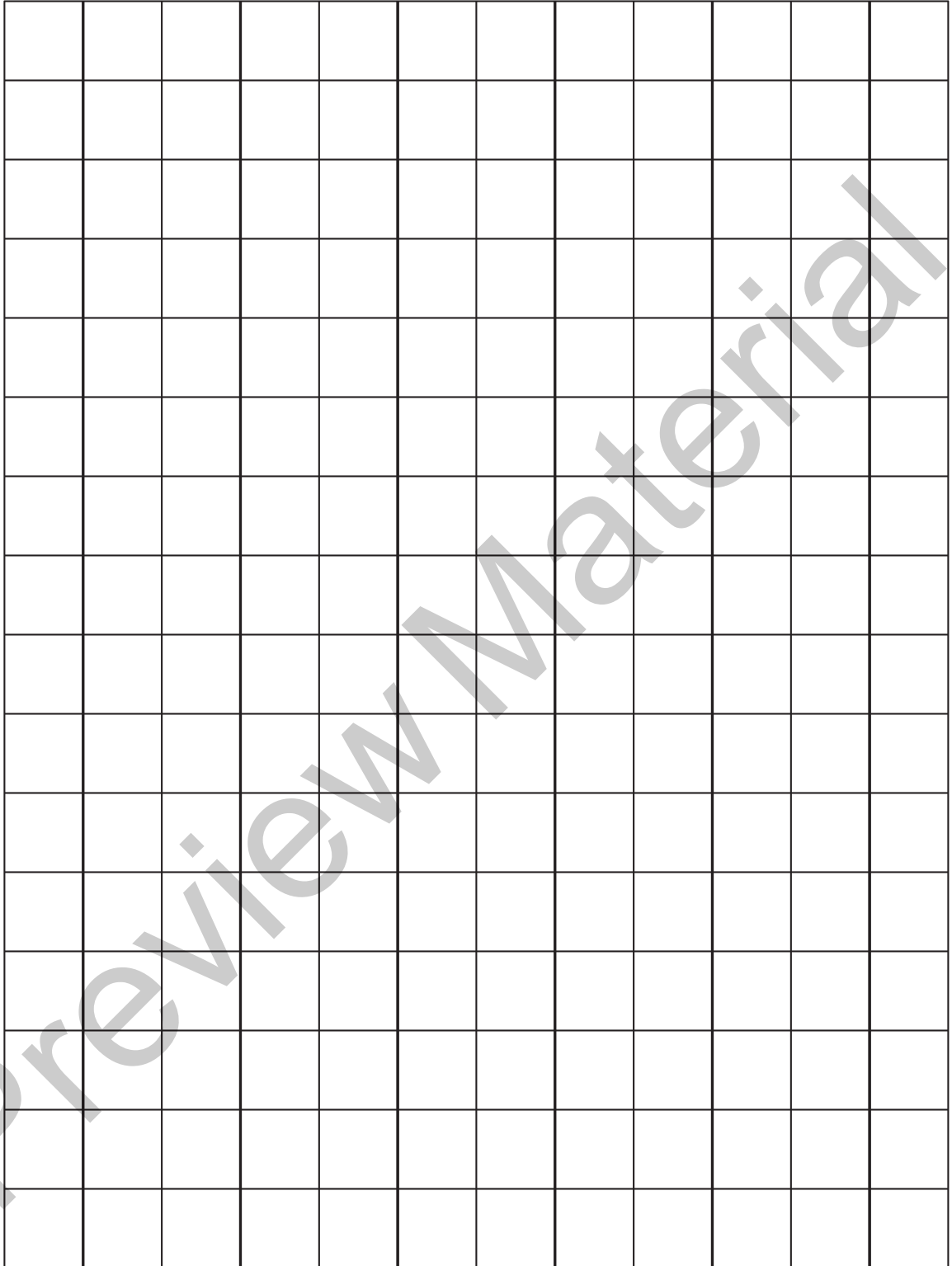
Date _____

The following figure is made up of 2 rectangles. Find the total area of the figure.



Area of A + Area of B: _____ sq units + _____ sq units = _____ sq units

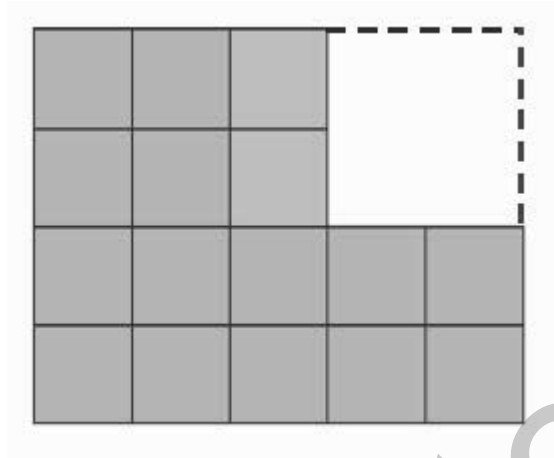
Preview Material



large grid

Preview Material

- a. Break apart the shaded figure into 2 rectangles. Then, add to find the area of the shaded figure below.



- b. Subtract the area of the unshaded rectangle from the area of the large rectangle to check your answer in Part (a).

Read

Draw

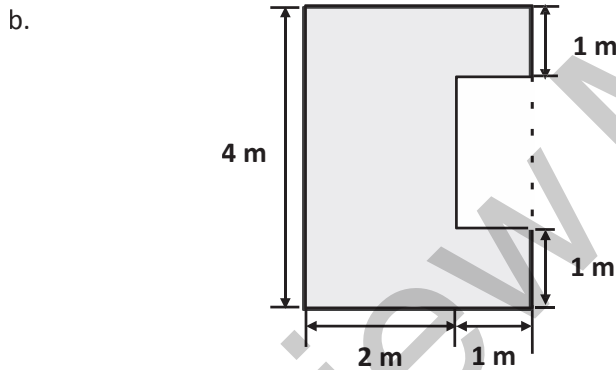
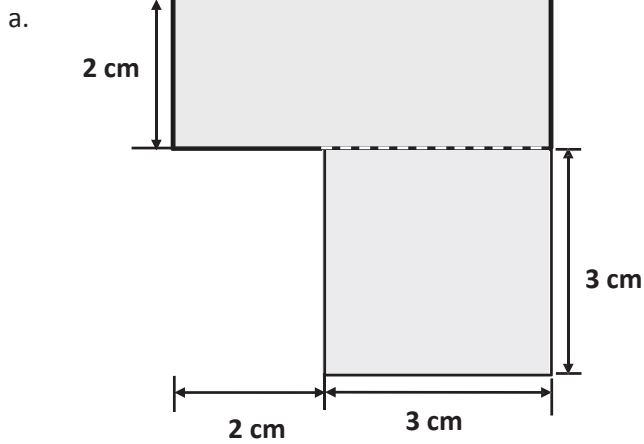
Write

Preview Material

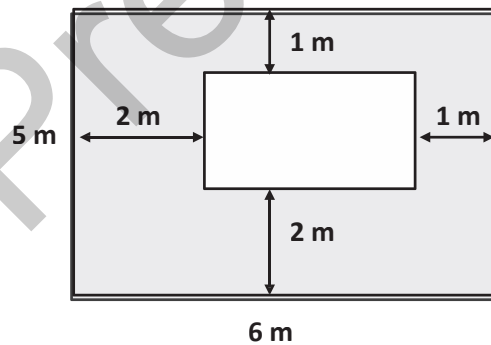
Name _____

Date _____

1. Find the area of each of the following figures. All figures are made up of rectangles.



2. The figure below shows a small rectangle in a big rectangle. Find the area of the shaded part of the figure.



3. A paper rectangle has a length of 6 inches and a width of 8 inches. A square with a side length of 3 inches was cut out of it. What is the area of the remaining paper?
4. Tila and Evan both have paper rectangles measuring 6 cm by 9 cm. Tila cuts a 3 cm by 4 cm rectangle out of hers, and Evan cuts a 2 cm by 6 cm rectangle out of his. Tila says she has more paper left over. Evan says they have the same amount. Who is correct? Show your work below.

Name _____

Date _____

Mary draws an 8 cm by 6 cm rectangle on her grid paper. She shades a square with a side length of 4 cm inside her rectangle. What area of the rectangle is left unshaded?

Preview Material

Preview Material

Name _____

Date _____

1. Make a prediction: Which room looks like it has the biggest area?
2. Record the areas and show the strategy you used to find each area.

| Room | Area | Strategy |
|-------------|-------------|----------|
| Bedroom 1 | _____ sq cm | |
| Bedroom 2 | _____ sq cm | |
| Kitchen | _____ sq cm | |
| Hallway | _____ sq cm | |
| Bathroom | _____ sq cm | |
| Dining Room | _____ sq cm | |
| Living Room | _____ sq cm | |

3. Which room has the biggest area? Was your prediction right? Why or why not?

4. Find the side lengths of the house without using your ruler to measure them, and explain the process you used.

Side lengths: _____ centimeters and _____ centimeters

5. What is the area of the whole floor plan? How do you know?

Area = _____ square centimeters

The rooms in the floor plan below are rectangles or made up of rectangles.

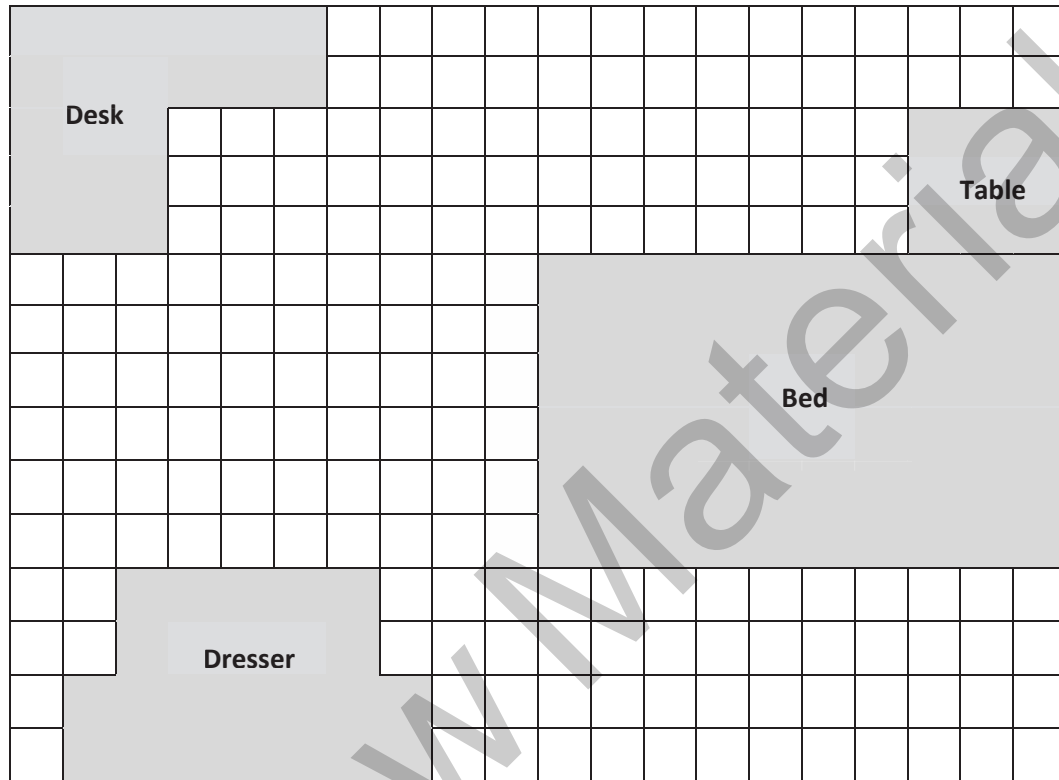


Preview Material

Name _____

Date _____

Jack uses grid paper to create a floor plan of his room. Label the unknown measurements, and find the area of the items listed below.



| Name | Equations | Total Area |
|----------------|-----------|--------------------|
| a. Jack's Room | | _____ square units |
| b. Bed | | _____ square units |
| c. Table | | _____ square units |
| d. Dresser | | _____ square units |
| e. Desk | | _____ square units |

Preview Material

Name _____

Date _____

Record the new side lengths you have chosen for each of the rooms and show that these side lengths equal the required area. For non-rectangular rooms, record the side lengths and areas of the small rectangles. Then, show how the areas of the small rectangles equal the required area.

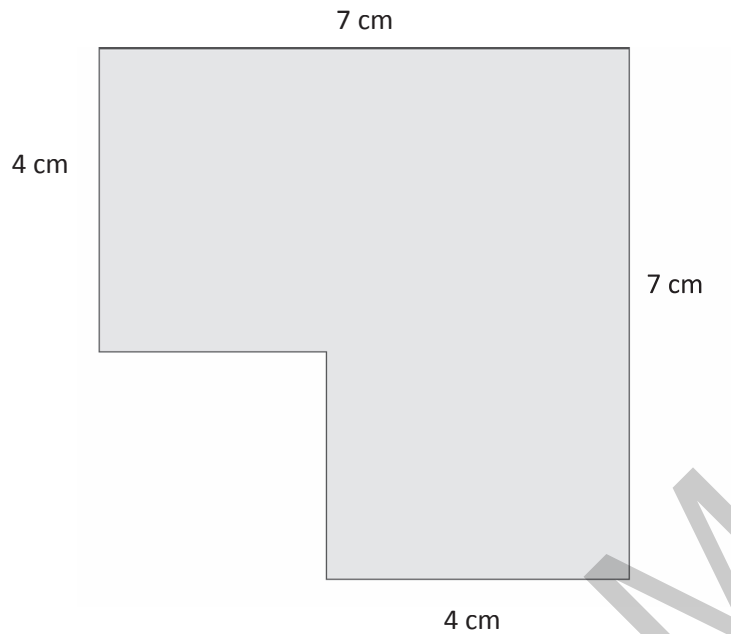
| Room | New Side Lengths |
|------------------------|------------------|
| Bedroom 1: 60 sq cm | |
| Bedroom 2: 56 sq cm | |
| Kitchen: 42 sq cm | |

| Room | New Side Lengths |
|--------------------------|------------------|
| Hallway: 24 sq cm | |
| Bathroom: 25 sq cm | |
| Dining Room: 28 sq cm | |
| Living Room: 88 sq cm | |

Name _____

Date _____

Find the area of the shaded figure. Then, draw and label a rectangle with the same area.



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