

## ADVANCED PLACEMENT PHYSICS 2 TABLE OF INFORMATION

CONSTANTS AND CONVERSION FACTORS	
Proton mass, $m_p = 1.67 \times 10^{-27} \text{ kg}$	Electron charge magnitude, $e = 1.60 \times 10^{-19} \text{ C}$
Neutron mass, $m_n = 1.67 \times 10^{-27} \text{ kg}$	1 electron volt, $1 \text{ eV} = 1.60 \times 10^{-19} \text{ J}$
Electron mass, $m_e = 9.11 \times 10^{-31} \text{ kg}$	Speed of light, $c = 3.00 \times 10^8 \text{ m/s}$
Avogadro's number, $N_0 = 6.02 \times 10^{23} \text{ mol}^{-1}$	Universal gravitational constant, $G = 6.67 \times 10^{-11} \text{ m}^3/\text{kg}\cdot\text{s}^2$
Universal gas constant, $R = 8.31 \text{ J}/(\text{mol} \cdot \text{K})$	Acceleration due to gravity at Earth's surface, $g = 9.8 \text{ m/s}^2$
Boltzmann's constant, $k_B = 1.38 \times 10^{-23} \text{ J/K}$	
1 unified atomic mass unit, $1 \text{ u} = 1.66 \times 10^{-27} \text{ kg} = 931 \text{ MeV}/c^2$	
Planck's constant, $h = 6.63 \times 10^{-34} \text{ J} \cdot \text{s} = 4.14 \times 10^{-15} \text{ eV} \cdot \text{s}$ $hc = 1.99 \times 10^{-25} \text{ J} \cdot \text{m} = 1.24 \times 10^3 \text{ eV} \cdot \text{nm}$	
Vacuum permittivity, $\epsilon_0 = 8.85 \times 10^{-12} \text{ C}^2/(\text{N} \cdot \text{m}^2)$	
Coulomb's law constant, $k = 1/4\pi\epsilon_0 = 9.0 \times 10^9 \text{ N}\cdot\text{m}^2/\text{C}^2$	
Vacuum permeability, $\mu_0 = 4\pi \times 10^{-7} \text{ (T} \cdot \text{m)/A}$	
Magnetic constant, $k' = \frac{\mu_0}{4\pi} = 1 \times 10^{-7} \text{ (T} \cdot \text{m)/A}$	
1 atmosphere pressure, $1 \text{ atm} = 1.0 \times 10^5 \frac{\text{N}}{\text{m}^2} = 1.0 \times 10^5 \text{ Pa}$	

UNIT SYMBOLS	meter, m	mole, mol	watt, W	farad, F
	kilogram, kg	hertz, Hz	coulomb, C	tesla, T
	second, s	newton, N	volt, V	degree Celsius, °C
	ampere, A	pascal, Pa	ohm, $\Omega$	electron volt, eV
	kelvin, K	joule, J	henry, H	

PREFIXES		
Factor	Prefix	Symbol
$10^{12}$	tera	T
$10^9$	giga	G
$10^6$	mega	M
$10^3$	kilo	k
$10^{-2}$	centi	c
$10^{-3}$	milli	m
$10^{-6}$	micro	$\mu$
$10^{-9}$	nano	n
$10^{-12}$	pico	p

VALUES OF TRIGONOMETRIC FUNCTIONS FOR COMMON ANGLES							
$\theta$	$0^\circ$	$30^\circ$	$37^\circ$	$45^\circ$	$53^\circ$	$60^\circ$	$90^\circ$
$\sin\theta$	0	1/2	3/5	$\sqrt{2}/2$	4/5	$\sqrt{3}/2$	1
$\cos\theta$	1	$\sqrt{3}/2$	4/5	$\sqrt{2}/2$	3/5	1/2	0
$\tan\theta$	0	$\sqrt{3}/3$	$3/4$	1	4/3	$\sqrt{3}$	$\infty$

## ADVANCED PLACEMENT PHYSICS 2 EQUATIONS

MECHANICS		
Equation	Usage	$a$ = acceleration $A$ = amplitude $d$ = distance $E$ = energy $F$ = force $f$ = frequency $I$ = rotational inertia $K$ = kinetic energy $k$ = spring constant $L$ = angular momentum $\ell$ = length $m$ = mass $P$ = power $p$ = momentum $r$ = radius or separation $T$ = period $t$ = time $U$ = potential energy $v$ = speed $W$ = work done on a system $x$ = position $y$ = height $\alpha$ = angular acceleration $\mu$ = coefficient of friction $\theta$ = angle $\tau$ = torque $\omega$ = angular speed
$v_x = v_{x0} + a_x t$ $x = x_0 + v_{x0} t + \frac{1}{2} a_x t^2$ $v_x^2 = v_{x0}^2 + 2a_x(x - x_0)$	Kinematic relationships for an object accelerating uniformly in one dimension. Can be applied in both $x$ and $y$ directions.	
$\vec{a} = \frac{\Sigma \vec{F}}{m} = \frac{\vec{F}_{net}}{m}$ $\vec{a} = \frac{\Sigma \vec{\tau}}{I} = \frac{\vec{\tau}_{net}}{I}$	Force exerted on an object due to the interaction of that object with another object.	
$\vec{p} = m\vec{v}$	Defines momentum for a single object moving with some velocity.	
$\Delta \vec{p} = \vec{F} \Delta t$	Average change in momentum or impulse	
$ \vec{F}_f  \leq \mu  \vec{F}_n $	The relationship for the frictional force acting on an object on a rough surface.	
$ \vec{F}_s  = k \vec{x} $	Static friction	
$U_s = \frac{1}{2} kx^2$	Elastic/spring potential energy	
$K = \frac{1}{2} mv^2$	The definition of kinetic energy.	
$\Delta E = W = F_{\parallel} d = Fd \cos \theta$	Energy transfer	
$P = \frac{\Delta E}{\Delta t}$	Power is defined as the rate of energy transfer into, out of, or within a system.	
$\Delta U_g = mg \Delta y$	Gravitational potential energy	
$a_c = \frac{v^2}{r}$	Centripetal acceleration	
$\vec{\tau} = r_{\perp} F = rF \sin \theta$	Angular velocity	
$x_{cm} = \frac{\Sigma m_i x_i}{\Sigma m_i}$	The definition of torque.	
$x_{cm} = \frac{\Sigma \vec{x}_i x_i}{\Sigma m_i}$	Calculate the center of mass for a nonuniform solid that can be considered as a collection of regular masses or for a system of masses.	
$K = \frac{1}{2} I \omega^2$	Kinetic energy in a rotating object.	
$\theta = \theta_0 + \omega_0 t + \frac{1}{2} \alpha t^2$ $\omega = \omega_0 + \alpha t$	The angular kinematic relationships for objects experiencing a uniform angular acceleration.	
$x = A \cos(\omega t)$ $= A \cos(2\pi f t)$	A simple wave can be described by an equation involving one sine or cosine function involving the wavelength, amplitude, and frequency of the wave.	
$L = I \omega$	Angular momentum	

$\Delta L = \tau \Delta t$		
$T = \frac{2\pi}{\omega} = \frac{1}{f}$	The period of simple harmonic motion (SHM) is related to the angular frequency.	
$T_s = 2\pi\sqrt{\frac{m}{k}}$ $T_p = 2\pi\sqrt{\frac{l}{g}}$	The period of a system oscillating in simple harmonic motion (SHM), or its equivalent for a pendulum or physical pendulum, and this can be shown to be true experimentally from a plot of the appropriate data.	
$ \vec{F}_g  = G \frac{m_1 m_2}{r^2}$	The magnitude of the gravitational force between two masses can be determined by using Newton's universal law of gravitation.	
$\vec{g} = \frac{\vec{F}_g}{m}$	Gravitational force	
$U_g = -\frac{Gm_1m_2}{r}$	The gravitational potential energy of the object-Earth system (shown using the relationship between the conservative force and potential energy.	

ELECTRICITY AND MAGNETISM		
Equation	Usage	<p> <math>A</math> = area  <math>B</math> = magnetic field  <math>C</math> = capacitance  <math>d</math> = distance  <math>E</math> = electric field  <math>\mathcal{E}</math> = emf  <math>F</math> = force  <math>I</math> = current  <math>\ell</math> = length  <math>P</math> = power  <math>Q</math> = charge  <math>q</math> = point charge  <math>R</math> = resistance  <math>r</math> = separation  <math>t</math> = time  <math>U</math> = potential or stored energy  <math>V</math> = electric potential  <math>v</math> = speed  <math>\kappa</math> = dielectric constant  <math>\rho</math> = resistivity  <math>\theta</math> = angle  <math>\Phi</math> = flux </p>
$ \vec{F}_E  = \frac{1}{4\pi\epsilon_0} \left  \frac{q_1 q_2}{r^2} \right $	Coulomb's Law; gives the magnitude of electromagnetic force between two point charges.	
$\vec{E} = \frac{\vec{F}_E}{q}$	The definition of electric field.	
$ \vec{E}  = \frac{1}{4\pi\epsilon_0} \frac{ q }{r^2}$	Gives the magnitude of the electric field at a distance from the center of a source object of electric charge.	
$\Delta U_E = q\Delta V$	Changes in a system's internal structure can result in changes in internal energy.	
$E = \frac{Q}{\epsilon_0 A}$	Calculate magnitude of an electric field between two oppositely charged parallel plates with uniformly distributed electric charge.	
$ \vec{E}  = \left  \frac{\Delta V}{\Delta r} \right $	The average value of the electric field in a region	

$B = \frac{\mu_0 I}{2\pi r}$	Magnitude of a magnetic field
$\vec{F}_M = q\vec{v} \times \vec{B}$	The magnetic force of interaction between a moving charged particle and a uniform magnetic field.
$ \vec{F}_M  =  q\vec{v}   \sin\theta   \vec{B} $	The magnetic force depends on the angle between the velocity and the magnetic field vectors.
$\vec{F}_M = I\vec{\ell} \times \vec{B}$	A magnetic force results from the interaction of a moving charged object or a magnet with other moving charged objects or another magnet.
$ \vec{F}_M  =  I\vec{\ell}   \sin\theta   \vec{B} $	The force exerted on a moving charged object is perpendicular to both the magnetic field and the velocity of the charge and is described by a right-hand rule.
$V = \frac{1}{4\pi\epsilon_0} \frac{q}{r}$	Isolines
$\Phi_B = \vec{B} \cdot \vec{A}$  $\Phi_B =  \vec{B}   \cos\theta   \vec{A} $  $\varepsilon = B\ell v$  $\varepsilon = -\frac{\Delta\Phi_B}{\Delta t}$	Changing magnetic flux
$\Delta V = \frac{Q}{C}$	Calculates the energy stored in a capacitor.
$C = \frac{\kappa\epsilon_0 A}{d}$	Calculates the capacitance of a parallel-plate capacitor with a dielectric material inserted between the plates.
$C_p = \sum_i C_i$	Can be used to determine the equivalent capacitance of capacitors arranged in parallel.
$\frac{1}{C_s} = \sum_i \frac{1}{C_i}$	Can be used to determine the equivalent capacitance of capacitors arranged in series.
$I = \frac{\Delta Q}{\Delta t}$	An electrical current is a movement of charge through a conductor.
$U_C = \frac{1}{2} Q\Delta V = \frac{1}{2} C(\Delta V)^2$	The energy stored in a capacitor. The electrical potential energy stored in a capacitor.
$R = \frac{\rho\ell}{A}$	The definition of resistance in terms of the properties of the conductor.
$I = \frac{\Delta V}{R}$	Ohm's Law
$R_s = \sum_i R_i$	The rule for equivalent resistance for resistors arranged in series.
$\frac{1}{R_p} = \sum_i \frac{1}{R_i}$	The rule for equivalent resistance for resistors arranged in parallel.
$P = I\Delta V$	The definition of power or the rate of heat loss through a resistor.

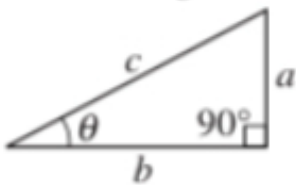
FLUID PHYSICS AND THERMAL MECHANICS		
EQUATION	USAGE	
$\rho = \frac{m}{V}$	Calculate density	

$P = \frac{F}{A}$	Calculate force	$A$ = area $F$ = force $h$ = depth $k$ = thermal conductivity $K$ = kinetic energy $L$ = thickness $m$ = mass $n$ = number of moles $N$ = number of molecules $P$ = pressure $Q$ = energy transferred to a system by heating $T$ = temperature $t$ = time $U$ = internal energy $V$ = volume $v$ = speed $W$ = work done on a system $y$ = height $\rho$ = density
$P = P_0 + \rho gh$	Calculate absolute pressure	
$F_b = \rho gh$	Calculate contact force	
$A_1 v_1 = A_2 v_2$	Continuity equation (used to describe conservation of mass flow rate in fluids)	
$P_1 + \rho g y_1 + \frac{1}{2} \rho v_1^2$ $= P_2 + \rho g y_2 + \frac{1}{2} \rho v_2^2$	Bernoulli's equation (describes the conservation of energy in fluid flow) Calculate pressure	
$\frac{Q}{\Delta t} = \frac{kA\Delta T}{L}$	Thermal conductivity is the measure of a material's ability to transfer thermal energy.	
$PV = nRT - Nk_B T$	The ideal gas law	
$K = \frac{3}{2} k_B T$	Calculate the average kinetic energy of a system	
$W = -P\Delta V$	Defines the work done on a system.	
$\Delta W = Q + W$	Change in internal energy of a system involves the possible transfer of energy through work and/or heat.	

WAVES AND OPTICS		
EQUATION	USAGE	$d$ = separation $f$ = frequency or focal length $h$ = height $L$ = distance $M$ = magnification $m$ = an integer $n$ = index of refraction $s$ = distance $v$ = speed $\lambda$ = wavelength $\theta$ = angle
$\lambda = \frac{v}{f}$	Wavelength	
$n = \frac{c}{v}$	Refraction	
$n_1\sin\theta_1 = n_2\sin\theta_2$	Snell's Law	
$\frac{1}{s_i} + \frac{1}{s_o} = \frac{1}{f}$ $ M  = \left \frac{h_i}{h_o}\right  = \frac{s_i}{s_o}$	Law of reflection	
$\Delta L = m\lambda$	Diffraction	
$d\sin\theta = m\lambda$		

MODERN PHYSICS		
EQUATION	USAGE	$E$ = energy

$E = hf$	Energy of a photon	$F$ = frequency $K$ = kinetic energy $m$ = mass $p$ = momentum $\lambda$ = wavelength $\phi$ = work function
$K_{max} = hf - \phi$	Photoelectric effect	
$\lambda = \frac{h}{p}$	Wavelength of a particle	
$E = mc^2$	Equation derived from the theory of special relativity.	

GEOMETRY AND TRIGONOMETRY		
Equation	Usage	$A$ = area $C$ = circumference $V$ = volume $S$ = surface area $b$ = base $h$ = height $\ell$ = length $w$ = width $r$ = radius
$A = bh$	Area of a rectangle	
$A = \frac{1}{2}bh$	Area of a triangle	
$A = \pi r^2$	Area of a circle	
$C = 2\pi r$	Circumference of a circle	
$V = \ell wh$	Volume of a rectangular solid	
$V = \pi r^2 \ell$ $S = 2\pi r \ell + 2\pi r^2$	Volume of a cylinder Surface area of a cylinder	
$V = \frac{4}{3}\pi r^3$ $S = 4\pi r^2$	Volume of a sphere Surface area of a sphere	
Pythagorean theorem Calculate the value of the angles of a right triangle	$c^2 = a^2 + b^2$ $\sin\theta = \frac{a}{c}$ $\cos\theta = \frac{b}{c}$ $\tan\theta = \frac{a}{b}$	

The following assumptions are used in this exam.

- I. The frame of reference of any problem is inertial unless otherwise stated.
- II. The direction of current is the direction in which positive charges would drift.
- III. The electric potential is zero at an infinite distance from an isolated point charge.
- IV. All batteries and meters are ideal unless otherwise stated.
- V. Edge effects for the electric field of a parallel plate capacitor are negligible unless otherwise stated.